

# Light-matter interface based on dense, ordered atomic lattices

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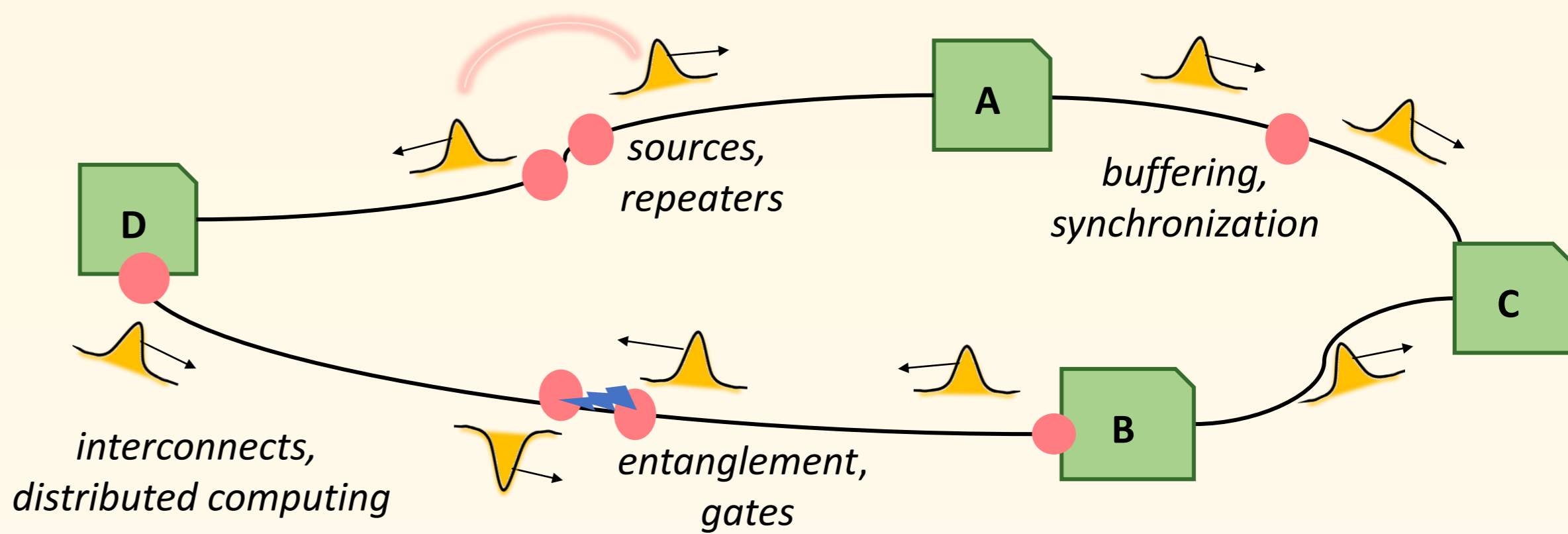
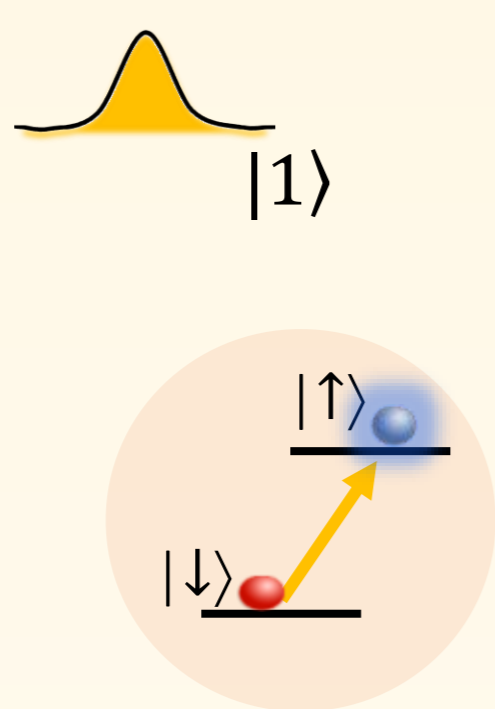
## Abstract

Strong coupling between a single propagating mode of light and defect-free atomic 2D arrays was recently demonstrated with subwavelength ('microscopic') inter-atomic separation. To benefit from the simplicity, flexibility, and scalability of optical tweezers arrays, we propose to extend this scheme to atomic arrays with 'mesoscopic' separations, slightly above the optical wavelength. We will develop and construct such mesoscopic atomic arrays and, by exploiting either several atomic layers or an additional moderate-finesse cavity, suppress their coupling to high-order diffraction modes and maximize the coupling (cooperativity) to a single optical mode, such that quantum state transfer from light to the collective excitation of the atomic array can be realized.

## Light-Matter mapping

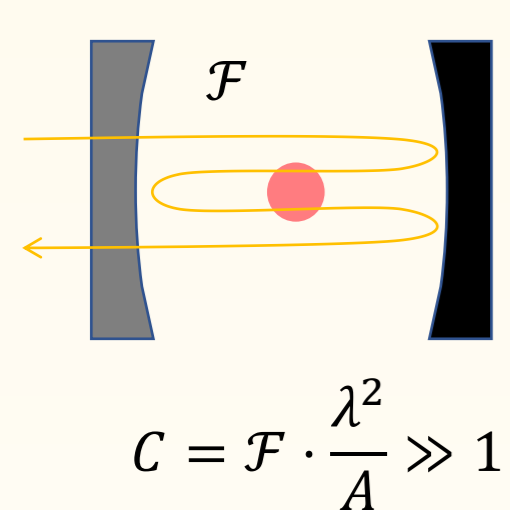
$$|\text{light}\rangle = \alpha|0\rangle + \beta|1\rangle$$

$$|\text{atom}\rangle = \alpha|\downarrow\rangle + \beta|\uparrow\rangle$$

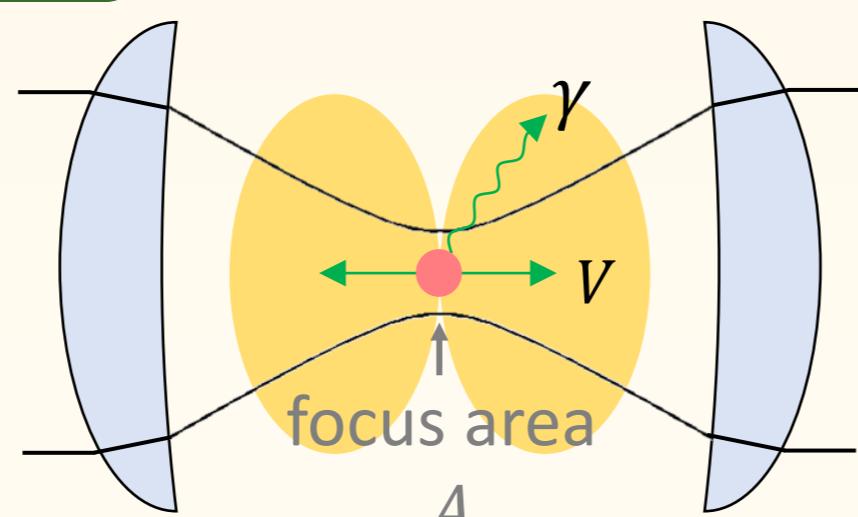
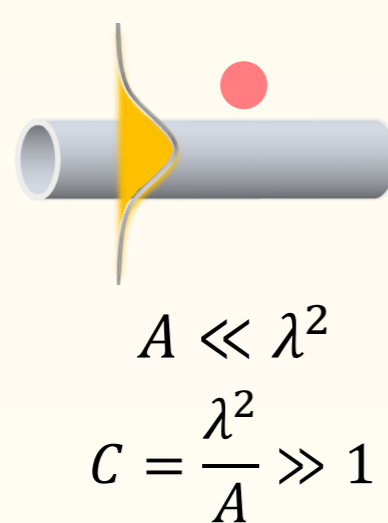


## Increasing optical cooperativity

### Cavity QED



### Waveguide QED



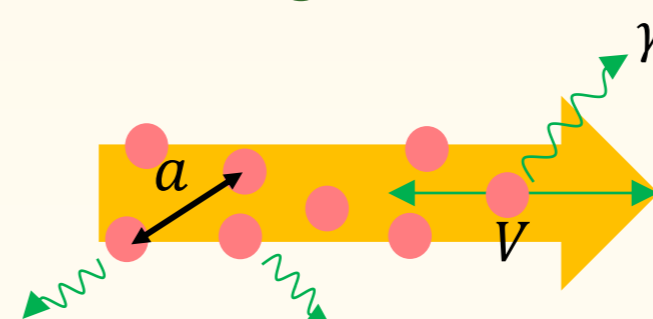
Cooperativity

$$C = \frac{v}{\gamma} \propto \frac{\lambda^2}{A}$$

Reflectivity/Efficiency

$$r = \frac{v}{v+\gamma} = \frac{C}{C+1}$$

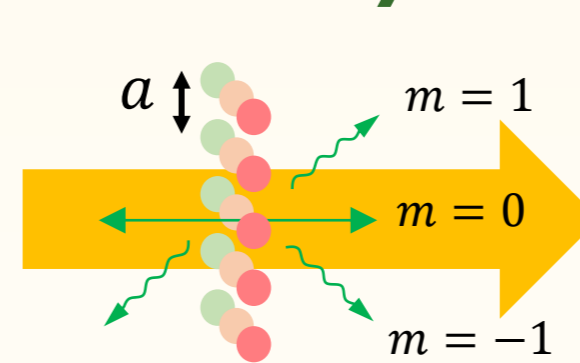
### Dilute gas $a \gg \lambda$



Independent emitters (OD)

$$C = \text{"#atoms"} \cdot \frac{V}{\gamma}$$

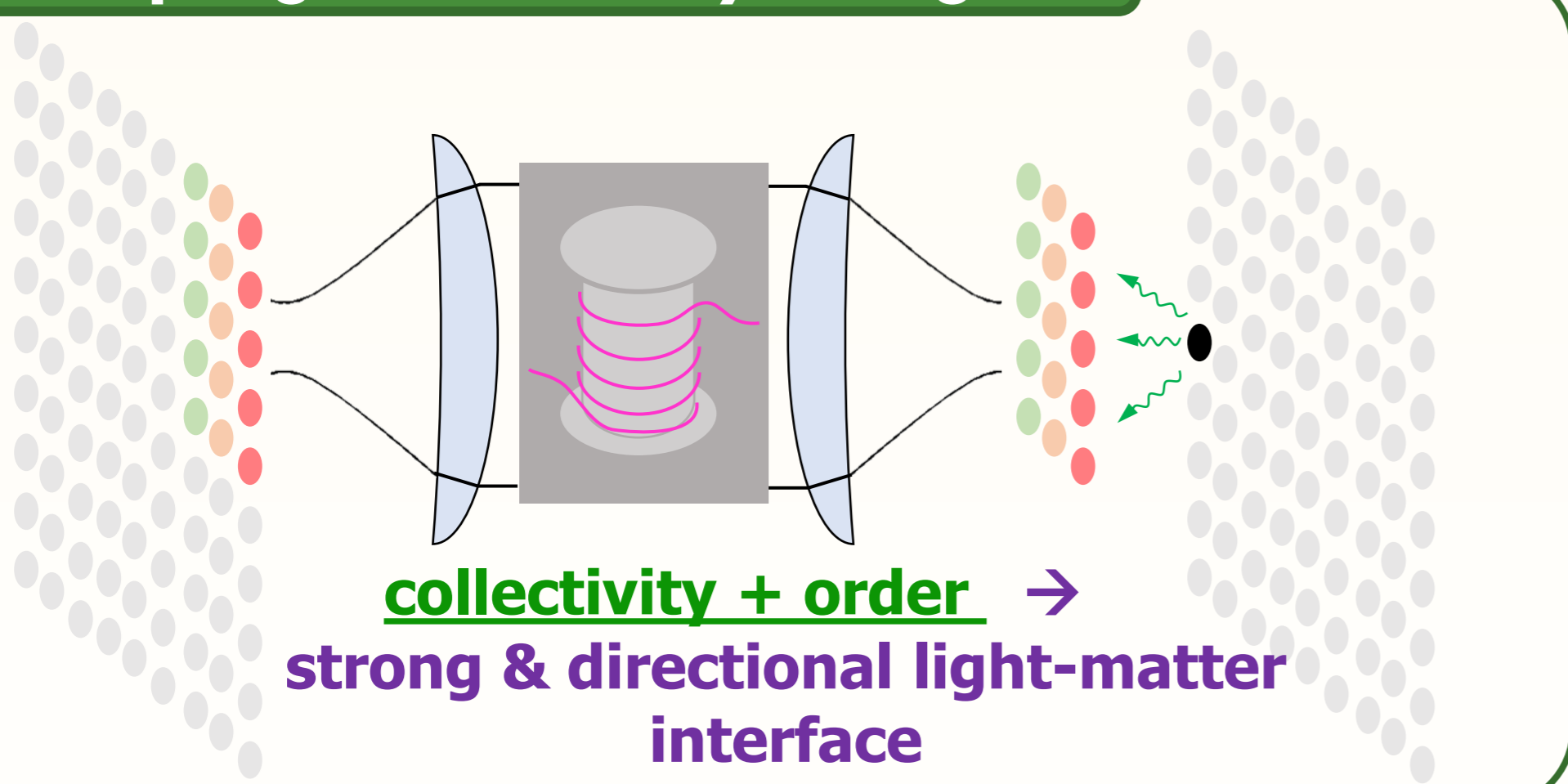
### Dense array $a \sim \lambda$



Collective response + spatial order  
discrete scattering modes ( $m = 0 \rightarrow \gamma = 0$ )

$$C = \frac{V}{\gamma} \rightarrow \infty$$

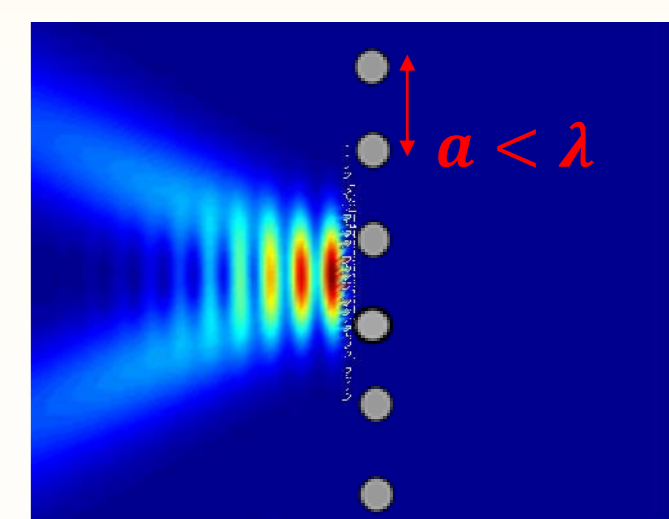
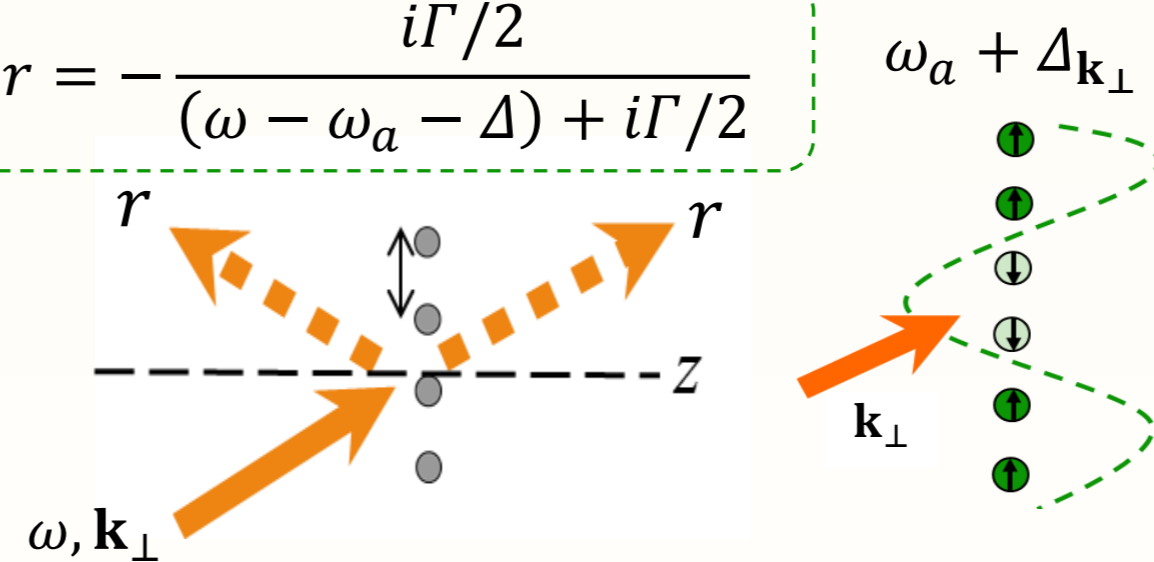
## Coupling atomic arrays to light



## Subwavelength atom array ( $a < \lambda$ )

### Light scattering: directional, reflectivity

$$r = -\frac{i\Gamma/2}{(\omega - \omega_a - \Delta) + i\Gamma/2}$$



ES, Wild, Lukin, Yelin, PRL (2017)  
Bettles, Gardiner, Adams, PRL (2016)

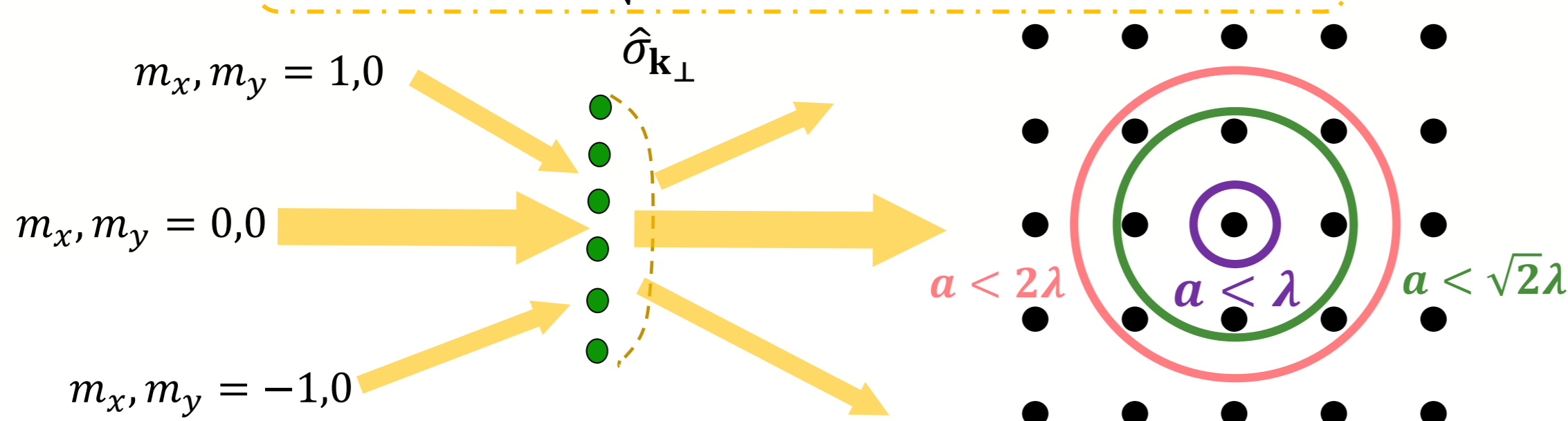
$\omega = \omega_a + \Delta_k \rightarrow r = -1$  "Perfect" mirror (tunable, robust)

## Scattering off "super-wavelength" atomic array ( $a > \lambda$ )

Coupling to light:  $\mathbf{k}_\perp^{m_x, m_y} = \mathbf{k}_\perp + \mathbf{q}_{m_x, m_y}$   $\mathbf{q}_{m_x, m_y} = \frac{2\pi}{a}(m_x \mathbf{e}_x + m_y \mathbf{e}_y)$

"symmetric" dipole  $\mathbf{k}_\perp = 0 \rightarrow \mathbf{k}_\perp^{(m_x, m_y)} = \mathbf{q}_{m_x, m_y}$

$$k_z^{(m_x, m_y)} = \frac{2\pi}{\lambda} \sqrt{1 - (\lambda/a)^2 (m_x^2 + m_y^2)} \in \text{Re}$$



## Integration of Low - $\mathcal{F}$ cavity can increase $C$

