Neuronal Subcompartment Classification and Merge Error Correction

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Abstract. Recent advances in 3d electron microscopy are yielding ever larger reconstructions of brain tissue, encompassing thousands of individual neurons interconnected by millions of synapses. Interpreting reconstructions at this scale demands advances in the automated analysis of neuronal morphologies, for example by identifying morphological and functional subcompartments within neurons. We present a method that for the first time uses full 3d input (voxels) to automatically classify reconstructed neuron fragments as axon, dendrite, or somal subcompartments. Based on 3d convolutional neural networks, this method achieves a mean f1-score of 0.972, exceeding the previous state of the art of 0.955. The resulting predictions can support multiple analysis and proofreading applications. In particular, we leverage finely localized subcompartment predictions for automated detection and correction of merge errors in the volume reconstruction, successfully detecting 90.6% of inter-class merge errors with a false positive rate of only 2.7%.

Keywords: Connectomics, 3D neural network, Merge error.

1 Introduction

Recent advances in 3d electron microscopy (EM) have enabled synaptic-resolution volumetric imaging of brain tissue at unprecedented scale [1–3]. Semi-automated reconstructions of these volumes yield thousands of neurons and neuronal fragments, interconnected by millions of synapses [4–7]. Together, reconstructed neurons and synapses within each dataset describe a "connectome": a connectivity graph whose structure is anticipated to reflect the computational function of the tissue [8, 9].

Interpreting neural connectivity at this scale is a significant undertaking. One means to enhance interpretability is to use ultrastructural and morphological details of neuronal fragments to distinguish their functional subcompartments. For example, the classical description of "neuronal polarity", i.e. the flow of information within vertebrate neurons, from dendritic subcompartments, into the soma, and out through the axon, remains central to understanding connectivity [10].

Although trained human reviewers can classify many neuronal fragments with respect to subcompartment, the growing scale of connectomic reconstructions demands automated methods. A recent approach to this problem was based on training random forest classifiers on manually defined features extracted from neurite segments and separately detected organelles such as mitochondria or synapses [4, 11]. A later extension improved accuracy by classifying 2d projections of neurites and their organelles with convolutional neural networks (CNNs), a technique called Cellular Morphology Networks (CMNs) [12]. However, an approach based on a full 3d representation of neuron fragments, which retains the maximum morphological and ultrastructural information, has not been previously demonstrated.

Another application for subcompartment predictions is in proofreading, e.g. to correct errors in automated reconstructions. Prior works proposed to detect merge errors through identification of morphologically unlikely cross-shaped fragments [11, 13] or used a 3d CNN trained specifically to detect merge [14] or split errors [15]. Strong biological priors dictate that vertebrate neurons have only one major axonal branch extending from the soma, and that dendritic and axonal subcompartments do not typically intermingle within a neurite [10]. Violation of these priors in subcompartment predictions provides a complementary way of detecting probable reconstruction errors, which can then be flagged for efficient human proof-reading workflows [16], or fully automated error correction.

In the following we (1) present a system for neuronal subcompartment classification based on 3d convolutional neural networks, (2) demonstrate finely localized subcompartment predictions whose accuracy exceeds state-of-the-art, and (3) show how these predictions can be used for high-fidelity detection and correction of errors in an automated segmentation.

2 Materials & Methods

2.1 Dataset

We used an automated Flood-Filling Network (FFN) segmentation of a 114x98x96 µm volume of zebra finch Area X brain tissue acquired with serial blockface EM at a voxel resolution of 9x9x20 nm [5]. Base FFN supervoxels (SVs) were agglomerated (Fig. 1a) via FFN resegmentation, with additional post-processing applied to the agglomeration graph to reduce merge and split errors [9]. We also used precomputed organelle probability maps for synaptic junctions and vesicle clouds [4] in some experiments.

The agglomerated segmentation was skeletonized via TEASAR [17], and the resulting skeletons were sparsified to a mean inter-node spacing of 300 nm and eroded so that terminal nodes were at least 100 nm from the segment boundary. A subset of the objects in the volume were manually classified by human experts as axon, dendrite, or soma, of which 27 objects were used for training (32.8k axon, 8.4k dendrite, 7.5k soma nodes), 6 objects for validation (2.6k, 1.0k, 2.0k), and 28 objects for evaluation (29.3k, 38.2k, 32.7k).

2.2 Classification of neural subcompartment with 3D CNNs

Classifier input fields of view (FOVs) were centered at neuron skeleton node locations, with the segment mask extracted from the neuron's agglomerated segmentation (Fig.

1b). However, multiple axonal and dendritic processes from the same neuron sometimes pass close to each other, even if their connection point is far outside the FOV. Therefore, it was beneficial to remove segment mask components in the FOV that were not connected with the component at the center. Disconnected component removal was done at full 9x9x20 nm resolution, prior to downsampling the block to the network input resolution.

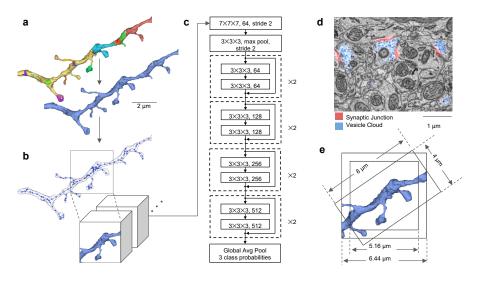


Fig. 1. Neural subcompartment classification with 3D CNN. (a) The segmentation consists of base SVs (top, different colors) that were agglomerated into more complete neuron segments (bottom, solid) [5]. (b) Input FOVs are centered at node positions from automated skeletonization of the segmentation mask. (c) The classifier architecture is a 3d extension of a ResNet-18 CNN, and outputs probabilities for axon, dendrite, and soma subcompartment classes. (d) For some experiments, we provided additional input channels, e.g. the contrast normalized [18] EM image, or precomputed organelle probability maps [4]. (e) Illustration of the two primary FOV sizes used in our experiments, approximately 5.16 or 6.44 μ m on a side. For comparison, we also illustrate the neurite-aligned 4x4x8 μ m field of view employed by the previous CMN approach [12].

Classifier architectures were derived from the ResNet-18 CNN model [19], with convolution and pooling layers extended to 3d (Fig. 1c). Neuronal morphology was provided to classifiers as a 3d binary segment mask. When additional input channels (EM image, organelle masks; Fig. 1d) were provided, the segment mask was applied to the other channels instead of being provided separately, with areas outside the mask set to zero. Input data was provided at 36x36x40 nm resolution in blocks of 129 or 161 voxels on a side, for a total field of view of 4.64x4.64x5.16 or 5.80x5.80x6.44 µm respectively (Fig. 1e). Network output comprised probabilities for axon, dendrite, and soma subcompartment classes.

For training, the input locations were class balanced by resampling skeleton nodes for underrepresented classes multiple times per epoch. We also applied random 3d rotations to the input as a training data augmentation. Networks were trained via stochastic gradient descent, with learning rate 0.003 and batch size 64 for 1.5M steps. For the best performing network, with two input channels and 6.44 μ m field of view, the total number of trainable parameters was 33.2M.

2.3 Automated detection and correction of merge errors

We applied top-performing subcompartment predictions (Fig. 2) to further improve neuron reconstruction quality by detecting merge errors between different classes. FFN reconstruction biases base SVs (Fig. 1a) to have very few merge errors via an oversegmentation consensus procedure [5], so we focused on errors in SV agglomeration. Once agglomeration errors are identified and localized, they can be fixed efficiently by simply removing the bad agglomeration graph edges, either under human review [16] or automatically.

We used subcompartment predictions to identify all somas and branches, and then to detect and correct two classes of agglomeration errors: axon/dendrite branch merge errors, and soma/neurite merge errors. As ground truth, we manually identified 132 agglomerated neurons that contained merge errors and annotated their bad agglomeration graph edges. This yielded 473 branches, among which there were 83 branch merge errors and 56 soma merge errors. Together these represent a significant fraction of all merge errors identified through an exhaustive screening of the reconstruction.

2.4 Branch merge error correction by graph cut consistency score

Branch merge errors involve a mis-agglomerated axon and dendrite (Fig. 3a). Intuitively, branches that contain a merge error tend to have lower overall node prediction consistency (defined as weighted mean probability of dominant class type). Removing a bad agglomeration edge should improve the node consistency of the two resulting subgraphs.

The input to our system is the skeleton of the agglomerated neuron with node class predictions, and the neuron's agglomeration graph, where each skeleton node contains information about the base SV it belongs to. The workflow is as follows:

Step 1: Identify soma. If the segment has > 200 soma classified nodes, find the SV with the most soma nodes.

Step 2: Separate branches from soma: Each subgraph of the agglomeration graph after removing the primary soma SV is considered a branch if it contains > 100 nodes.

Step 3: Compute node weight (optional). Automated skeletonization sometimes over-clusters nodes within thicker objects. Densely clustered nodes can therefore be optionally down-weighted by 1 / (node count in 500 nm radius - 2). Furthermore, neurite nodes proximal to the soma (within 5-10 μ m) tend to have inconsistent class predictions. These nodes can also be optionally down-weighted by 0.01.

Step 4: Group predictions. Node predictions are aggregated by base SV, to compute weighted mean class probabilities P_{sr} and node count w_{sr} for each SV (Fig. 3b).

Step 5: Compute cut scores. Any cycles are first removed, then edges are traversed from leaf nodes in. At each edge, the branch is conceptually divided into subgraphs G_{kenve}

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and G_{remain} , and the "cut consistency score", a measure of how many nodes belong to their respective majority classes post-versus pre-cut, is computed (Fig. 3b):

$$\max \sum_{SV}^{G_{leave}} P_{SV} w_{SV} + \max \sum_{SV}^{G_{remain}} P_{SV} w_{SV}$$

$$\sum_{SV}^{G_{remain}} P_{SV} w_{SV}$$
(1)

$$\max \sum_{SV}^{obranch} P_{SV} w_{SV}$$

Step 6: Detection. Threshold the highest predicted cut score to determine if the branch contains a merge error, with constraints that G_{icave} and G_{remain} must have different majority class types and their weighted sizes must be > 50.

Step 7: Correction (optional). Remove agglomeration edge corresponding to highest cut score and perform majority vote pooling within subcomponents. Compare branch pooled node prediction accuracy pre- and post-cut (Fig. 3e).

2.5 Soma merge error correction by trajectory of primary neurite

The second error mode involves a neurite fragment that is mis-agglomerated with soma (Fig. 4). We observed that these errors can be fixed with a simple heuristic based on branch trajectory relative to the soma surface. The pipeline is as follows:

Steps 1-2: Shared with branch merge detection pipeline above.

Step 3: Distance to soma. For each axon or dendrite node, compute the distance d_s to the nearest soma node.

Step 4: Distance to branch root. For each branch, the root is the node with minimum d_s . Compute the distance d_r from each branch node to the root (Fig. 4b).

Step 5: Fit slope. For each branch, compute a linear fit to d_s versus d_r (Fig. 4c) for nodes within a tunable distance to soma. The slope of the fit is then thresholded to determine if a branch is a soma merge error (Fig. 4c-e).

3 Results

3.1 Subcompartment classification performance of 3D CNNs

We compared the performance of our 3d CNN classifiers to previous state-of-the-art results from CMNs [12], in terms of class-wise precision, recall, and f1 metrics (Fig. 2a). For each trained 3d CNN, we saved parameter checkpoints throughout the training period and screened them on a small manually labeled validation set. For most models, performance on the validation set approached or exceeded 0.99 on all metrics (not shown), but validation performance was useful for tracking convergence, confirming there was no overfitting to the training set, and for avoiding checkpoints where training temporarily became unstable. We then applied the ten checkpoints with highest validation accuracy to the larger evaluation set to compute the mean and standard deviation for each metric.

Compared with CMNs (Fig. 2a, blue), a network analyzing voxel representation of 3d segment shape alone was competitive (green). Adding vesicle cloud and synaptic junction organelle probability map channels allowed the 3d CNN to exceed state of the art (red). Interestingly, further adding the full EM image channel had negligible impact (yellow). Expanding the field of view for the masked organelles network from 5.16 µm

to 6.44 µm yielded the best performing system tested (pink). We also tested expanding the FOV further, increasing the input resolution, increasing the CNN depth, and providing different input channel configurations; see supplemental Table S1.

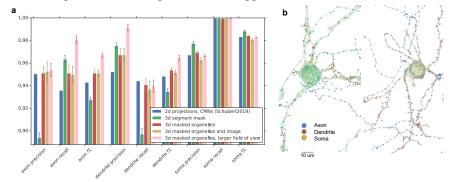


Fig. 2. Subcompartment classification results. (a) Node classification performance on axon, dendrite, and soma labeled examples. (b) Skeleton node classifications of two automated neuron reconstructions outside the train, validation, and evaluation sets.

Of the top ten checkpoints from the best performing model, the median overall node accuracy on the evaluation set was 97.1%, and mean f1 across classes was 0.972. We then used this median checkpoint to predict node classes for reconstructed neurons and fragments throughout the entire volume. Predicted skeletons demonstrate good class consistency within soma and neurites, with some ambiguity at the interface between branch and soma (Fig. 2b). Based on the predictions, the volume contains 3.25 m total axon path length, and 0.79 m dendrite path length, a ratio of 4:1 that is similar to the 5:1 ratio previously reported [12]. However, the total path length here significantly exceeds that previously reported, probably due to differences in skeleton sparsity, so the absolute lengths here should be considered an upper bound.

3.2 Agglomeration merge error detection and correction

We fed subcompartment predictions back to detect and correct two classes of reconstruction merge errors that occur during SV agglomeration: axon/dendrite branch merges, and soma/neurite merges. The branch merge error correction system is based on analyzing the predicted subcompartment class consistency of agglomerated segments, with and without candidate cuts applied (Fig. 3a-b). We first considered branch merge error detection performance, and plotted the receiver operating characteristic (ROC) curve by varying the cut score threshold (Fig. 3c-d). In areas with many small SVs, several nearby cut candidates can have equivalent impact, so predicted cuts that fell within four agglomeration graph edges of ground truth cuts were considered correctly detected. The best detection performance was at 1.05 cut score threshold, with fl of 0.850 (see also Table S2).

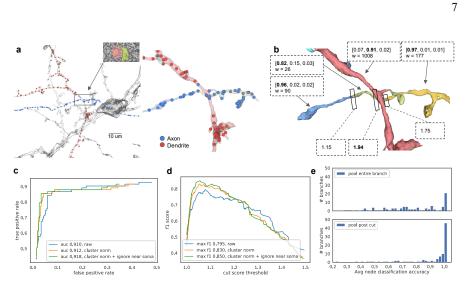


Fig. 3. Correction of branch merge errors via subcompartment prediction. (a) Left, view of an agglomerated segment centered on a branch merge error, with the node predictions for the branch overlaid. Inset shows the EM image and overlaid base SVs for the merge. Right, zoomed in view of the merge error, with base SVs in different colors. (b) Node predictions are aggregated to get class probabilities [axon, dendrite, soma] and weight (node count) per SV. Three SVs are predicted axon, one dendrite, reflecting the merge error. Candidate neuron cuts are annotated with their consistency improvement scores (Eq. 1). (c) ROC plot showing detection performance as the cut score threshold is varied. Separate curves show three variants with different node reweighting (to address node clustering or nodes close to the soma). (d) The f1 of merge detection versus cut score threshold. (e) Branch-wise majority vote pooled class accuracy distribution before (top) and after (bottom) applying suggested cuts.

Merge error detections can be used to flag the location for human review. We also calculated the node prediction accuracy improvement after directly applying the suggested cut. For the 96 branches with either a predicted merge or ground truth merge, we manually determined their nodewise ground truth class as axon or dendrite, then performed majority vote predicted class pooling before and after applying predicted cuts. Comparing class pooled accuracy pre- and post-cut (Fig 3e), the mean node prediction accuracy improves from 0.804 to 0.886.

We addressed the second category of agglomeration merge errors, between somas and nearby neurites, by analyzing the trajectory of the branch relative to the somal surface (Fig. 4a-c). We found the best performance is achieved by sampling skeleton nodes within the initial 10 μ m from the soma, yielding an fl of 0.923 at a slope of 0.78. (Fig. 4d-e; see also Table S3).

Combined, branch and soma merge analyses detected 90.6% of merge errors, with a false positive rate of only 2.7%.

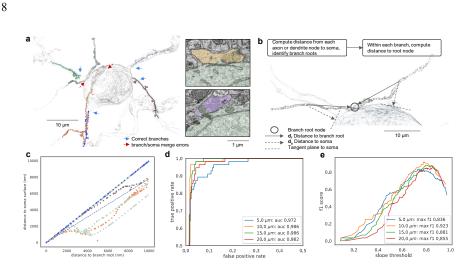


Fig. 4. Correction of soma merge errors. (a) Example of a soma with multiple neurite branches, each in a different color. Two of the branches were erroneously agglomerated to the soma. **(b)** For each node along a branch, the distance to the nearest soma node is computed. The distance to the branch root (defined as the branch node closest to the soma) is also computed. **(c)** The soma distance versus branch root distance for the nodes comprising branches from (a), with matching color-coding. The dashed line of slope 0.78 separates the trajectories of correct branches that run primarily radially out from the soma, from the soma merge error branches that run primarily tangential. **(d)** ROC plot showing performance of merge error detection as slope threshold is varied. Separate curves show results with nodes at different distances from the soma included in the analysis. **(e)** The f1 of merge error detection versus slope threshold.

4 Conclusions & Discussion

To make volume EM datasets of brain tissue easy to analyze at scale, it is crucial to reduce the data they contain to more compact and semantically meaningful representations. Segmentation and synapse detection provide an important first step in this process. Here we presented a system that can provide further information about the biological identity of neurites by predicting subcompartment types, and feed back to the preceding reconstruction stage through automated correction of agglomeration errors.

We expect this approach to be useful for brain circuit analyses, and to be applicable to diverse datasets. We also anticipate that the approach could be extended to finer grained subcompartment classification. For example, the subcompartment localization of a postsynaptic site on e.g. a dendritic spine, dendritic shaft, soma, or axon initial segment is linked to both the synapse's functional impact as well as the identity of its presynaptic partner [20, 21]. Another related application is in the identification of neuronal subtypes, whose shared structural and functional properties can enhance connectome interpretability by organizing thousands of individual neurons into a reduced complement of conceptual roles [22–24].

The primary advantages of our system are its simplicity, and its ability to capture complete local information about a neurite, resulting in a new state of the art. A fundamental limitation is that processing efficiency drops with increasing field of view as the neurite of interest fills a progressively smaller fraction of the voxels that need to be processed. This limitation could be mitigated by using an alternative representation of sparse 3d data [25–28].

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Supplemental Material

Node classification ablations and extensions

Table S1 presents performance metrics on the evaluation set for 15 node classification experiments, as well as the performance of the previous state-of-the-art CMNs [12]. Bold rows indicate data already plotted in the main text (Fig. 2).

Rows 5-7 and 9 focus on changing the input channels. Rows 5 and 6 show the relative performance of using only synaptic junction or vesicle cloud probability maps alone, rather than both together (row 3); the vesicle clouds perform better, but neither is sufficient on its own. Rows 7 and 9 show that adding mitochondria probability maps does not improve performance, and may cause some degradation.

Row 10 shows that further expanding the field of view (FOV) to 193 voxels on a side degrades performance relative to the 161 voxel model (row 8). As FOV increases, the neuron segment mask is increasingly sparse, i.e. the input is increasingly empty. This may cause the model to train less smoothly, consistent with the larger checkpoint variance.

Rows 11 and 12 show that increasing input resolution to 18x18x20 nm degrades performance relative to the 36x36x40 nm models (e.g. row 3). The number of voxels in the input block for the higher resolution models remained the same, so the resulting reduction in FOV in terms of microns likely explains the degradation. Interestingly, adding the full EM image does improve the performance of these higher resolution models, in contrast to the lower resolution models where adding the image has little effect (rows 3 and 4). This is consistent with our observation that as human viewers we find a significant amount of detail is lost in the EM image when downsampling from 18x18x20 to 36x36x40 nm.

Rows 13-16 repeat several of the experiments using a deeper ResNet-50 network architecture. Overall, the results are similar to ResNet-18 performance. The best performing ResNet-18 model performs somewhat better than its Res-Net-50 equivalent (rows 8 and 16) and is significantly less computationally intensive, so we favored ResNet-18 in experiments and production.

1	2

 Table S1. Node classification ablations and extensions

 vox: voxels on a side; Res: roughly isotropic resolution; prec: precision;

 im: EM image; sj: synaptic junctions; vc: vesicle clouds; mito: mitochondria

	FOV	Res	Extra	Model	Axon			Dendrite			Soma		
	(vox)	(nm)	Inputs	Depth	prec	recall	f1	prec	recall	f1	prec	recall	f1
1	CMNs	(Schub	ert <i>et al</i> .	2019)	0.951	0.936	0.943	0.952	0.944	0.948	0.967	1.000	0.983
2	129	40		18	0.894 ± 0.004	0.964 ± 0.003	$\begin{array}{c} 0.928 \pm \\ 0.002 \end{array}$	0.975 ±	$\begin{array}{c} \textbf{0.897} \pm \\ \textbf{0.005} \end{array}$	$\begin{array}{c} 0.935 \pm \\ 0.003 \end{array}$	0.977 ± 0.002	0.999 ± 0.000	0.988 ± 0.001
3	129	40	sj, vc	18	0.951 ± 0.006	0.951 ± 0.008	0.951 ± 0.003	0.967 ±	0.941 ± 0.005	0.954 ± 0.002	0.970 ±	0.999 ± 0.000	0.984 ± 0.001
4	129	40	im, sj, vc	18	0.953 ± 0.009	0.950 ± 0.007	0.951 ± 0.003	0.967 ±	0.937 ± 0.007	0.952 ± 0.002	0.963 ±	0.999 ± 0.000	0.981 ± 0.001
5	129	40	sj	18	$\begin{array}{c} 0.892 \pm \\ 0.006 \end{array}$	$\begin{array}{c} 0.956 \pm \\ 0.006 \end{array}$	$\begin{array}{c} 0.923 \pm \\ 0.004 \end{array}$	0.970± 0.005	$\begin{array}{c} 0.892 \pm \\ 0.005 \end{array}$	$\begin{array}{c} 0.929 \pm \\ 0.003 \end{array}$	0.972 ± 0.001	$\begin{array}{c} 0.999 \pm \\ 0.000 \end{array}$	$\begin{array}{c} 0.986 \pm \\ 0.001 \end{array}$
6	129	40	vc	18	$\begin{array}{c} 0.917 \pm \\ 0.006 \end{array}$	$\begin{array}{c} 0.953 \pm \\ 0.008 \end{array}$	$\begin{array}{c} 0.934 \pm \\ 0.003 \end{array}$	0.968 ± 0.006	$\begin{array}{c} 0.912 \pm \\ 0.006 \end{array}$	$\begin{array}{c} 0.939 \pm \\ 0.003 \end{array}$	0.970 ± 0.001	$\begin{array}{c} 0.999 \pm \\ 0.000 \end{array}$	$\begin{array}{c} 0.984 \pm \\ 0.001 \end{array}$
7	129	40	sj, vc, mito	18	$\begin{array}{c} 0.950 \pm \\ 0.007 \end{array}$	$\begin{array}{c} 0.959 \pm \\ 0.011 \end{array}$		$\begin{array}{c} 0.974 \pm \\ 0.008 \end{array}$	$\begin{array}{c} 0.940 \pm \\ 0.006 \end{array}$	$\begin{array}{c} 0.957 \pm \\ 0.003 \end{array}$	0.971 ± 0.001	$\begin{array}{c} 0.999 \pm \\ 0.000 \end{array}$	$\begin{array}{c} 0.985 \pm \\ 0.001 \end{array}$
8	161	40	sj, vc	18	0.954 ± 0.006	0.981 ± 0.004	0.967 ± 0.002	0.991 ± 0.003	0.940 ± 0.005	0.965 ± 0.002	0.967 ± 0.001	0.999 ± 0.000	0.983 ± 0.000
9	161	40	sj, vc, mito	18	$\begin{array}{c} 0.934 \pm \\ 0.007 \end{array}$	$\begin{array}{c} 0.969 \pm \\ 0.009 \end{array}$	$\begin{array}{c} 0.951 \pm \\ 0.003 \end{array}$	0.981 ± 0.007	$\begin{array}{c} 0.924 \pm \\ 0.006 \end{array}$	$\begin{array}{c} 0.952 \pm \\ 0.002 \end{array}$	0.967 ± 0.001	$\begin{array}{c} 0.999 \pm \\ 0.000 \end{array}$	$\begin{array}{c} 0.983 \pm \\ 0.000 \end{array}$
10	193	40	sj, vc	18	$\begin{array}{c} 0.940 \pm \\ 0.014 \end{array}$	$\begin{array}{c} 0.970 \pm \\ 0.020 \end{array}$	$\begin{array}{c} 0.955 \pm \\ 0.007 \end{array}$	0.983 ± 0.016	$\begin{array}{c} 0.923 \pm \\ 0.013 \end{array}$	$\begin{array}{c} 0.952 \pm \\ 0.005 \end{array}$	0.962 ± 0.001	$\begin{array}{c} 0.999 \pm \\ 0.000 \end{array}$	$\begin{array}{c} 0.980 \pm \\ 0.000 \end{array}$
11	129	20	sj, vc	18	$\begin{array}{c} 0.902 \pm \\ 0.011 \end{array}$	$\begin{array}{c} 0.937 \pm \\ 0.009 \end{array}$	$\begin{array}{c} 0.919 \pm \\ 0.004 \end{array}$	0.954 ± 0.007	$\begin{array}{c} 0.919 \pm \\ 0.011 \end{array}$	$\begin{array}{c} 0.936 \pm \\ 0.004 \end{array}$	0.992 ± 0.002	$\begin{array}{c} 0.999 \pm \\ 0.000 \end{array}$	$\begin{array}{c} 0.995 \pm \\ 0.001 \end{array}$
12	129	20	im, sj, vc	18	$\begin{array}{c} 0.938 \pm \\ 0.010 \end{array}$	$\begin{array}{c} 0.935 \pm \\ 0.012 \end{array}$	$\begin{array}{c} 0.936 \pm \\ 0.003 \end{array}$	0.954 ± 0.008	$\begin{array}{c} 0.932 \pm \\ 0.009 \end{array}$	$\begin{array}{c} 0.943 \pm \\ 0.003 \end{array}$	0.971 ± 0.002	$\begin{array}{c} 0.999 \pm \\ 0.000 \end{array}$	$\begin{array}{c} 0.985 \pm \\ 0.001 \end{array}$
13	129	40		50	$\begin{array}{c} 0.898 \pm \\ 0.006 \end{array}$	$\begin{array}{c} 0.960 \pm \\ 0.004 \end{array}$		0.973 ± 0.003	$\begin{array}{c} 0.900 \pm \\ 0.006 \end{array}$	$\begin{array}{c} 0.935 \pm \\ 0.002 \end{array}$	0.976±0.001	$\begin{array}{c} 0.999 \pm \\ 0.000 \end{array}$	$\begin{array}{c} 0.987 \pm \\ 0.001 \end{array}$
14	129	40	im	50	$\begin{array}{c} 0.951 \pm \\ 0.009 \end{array}$	$\begin{array}{c} 0.959 \pm \\ 0.006 \end{array}$		0.974 ± 0.004	$\begin{array}{c} 0.937 \pm \\ 0.009 \end{array}$	$\begin{array}{c} 0.955 \pm \\ 0.003 \end{array}$	0.966 ± 0.002	$\begin{array}{c} 0.999 \pm \\ 0.000 \end{array}$	$\begin{array}{c} 0.982 \pm \\ 0.001 \end{array}$
15	129	40	sj, vc	50	$\begin{array}{c} 0.950 \pm \\ 0.005 \end{array}$	$\begin{array}{c} 0.958 \pm \\ 0.006 \end{array}$	$\begin{array}{c} 0.954 \pm \\ 0.002 \end{array}$	0.972 ± 0.005	$\begin{array}{c} 0.941 \pm \\ 0.005 \end{array}$	$\begin{array}{c} 0.956 \pm \\ 0.001 \end{array}$	0.971 ± 0.001	$\begin{array}{c} 0.999 \pm \\ 0.000 \end{array}$	$\begin{array}{c} 0.985 \pm \\ 0.000 \end{array}$
16	161	40	sj, vc	50	0.951 ± 0.002	$\begin{array}{c} 0.975 \pm \\ 0.003 \end{array}$		0.986 ± 0.003	$\begin{array}{c} 0.938 \pm \\ 0.002 \end{array}$	$\begin{array}{c} 0.961 \pm \\ 0.001 \end{array}$	0.967 ± 0.001	$\begin{array}{c} 0.999 \pm \\ 0.000 \end{array}$	$\begin{array}{c} 0.983 \pm \\ 0.000 \end{array}$

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Detailed branch merge detection metrics

Table S2 shows the detailed performance metrics for the best performing (in terms of f1 metric) cut score threshold settings of the branch merge detection pipeline, corresponding to data plotted in the main text (Fig. 3c-d).

 Table S2. Branch merge detection performance (best f1)

Node reweighting	Precision	Recall	F1	AUC
no reweighting	0.753	0.843	0.795	0.910
clusters	0.807	0.855	0.830	0.912
clusters, near soma	0.845	0.855	0.850	0.918

Detailed soma merge detection metrics

Table S3 shows the detailed performance metrics for the best performing (in terms of f1 metric) slope threshold settings of the soma merge detection pipeline, corresponding to data plotted in the main text (Fig. 4d-e). After excluding predicted soma merge error branches, we were able to identify a single correct axonal branch 82.4% of the time.

Sampling range	Precision	Recall	F1	AUC
5 µm	0.852	0.821	0.839	0.972
10 µm	0.885	0.964	0.923	0.986
15 μm	0.839	0.929	0.881	0.986
20 µm	0.779	0.946	0.855	0.982

Table S3. Soma merge detection performance (best f1)