

Numeracy in P4

Have a look at some of the strategies we are using in P4 to help us to quickly find the answer to addition and subtraction sums.

1. Using numberlines to add a 2 digit number and a single digit

Examples:

a, $53 + 9$

$$\begin{array}{r} + 7 \quad + 2 \\ \hline 53 \quad 60 \quad = 62 \end{array}$$

Process: Use knowledge of number bonds to ten to complete this sum. Add on the number to get to the next ten ($53 + 7$) and then add on the remaining amount, in this sum we had to add on 9 altogether so after adding the 7 to get to the next ten we were left with having to add on 2 more.

b, $49 + 5$

$$\begin{array}{r} + 1 \quad + 4 \\ \hline 49 \quad 50 \quad = 54 \end{array}$$

Same process as above- adding on to get to the next multiple of ten and then adding the remaining amount.

c, $67 + 6$

$$\begin{array}{r} + 3 \quad + 3 \\ \hline 67 \quad 70 \quad = 73 \end{array}$$

2. Using numberlines to add 2 double digit numbers together

Examples:

a, $54 + 18$

$$\begin{array}{ccccccc} & + 10 & & + 4 & & + 4 & \\ \text{---} & \text{---} & \text{---} & \text{---} & \text{---} & \text{---} & \\ 54 & & 64 & & 68 & & = 72 \end{array}$$

Process: Add on the ten and then add the units. In this case we split the units digit (8) into 4 and 4 to make it more manageable to add.

b, $49 + 25$

$$\begin{array}{ccccccc} & + 20 & & + 5 & & & \\ \text{---} & \text{---} & \text{---} & \text{---} & \text{---} & \text{---} & \\ 49 & & 69 & & & & = 74 \end{array}$$

Same process as above- adding the tens first and then the units.

c, $38 + 22$

$$\begin{array}{ccccccc} & + 20 & & + 2 & & & \\ \text{---} & \text{---} & \text{---} & \text{---} & \text{---} & \text{---} & \\ 38 & & 58 & & & & = 60 \end{array}$$

3. Using numberlines to subtract a single digit from a double digit.

Examples:

a, $27 - 8 =$

$$\begin{array}{r} -7 \quad -1 \\ \hline 27 \quad 20 \quad = 19 \end{array}$$

Process: This sum asks us to subtract a total of 8. First we subtract 7 to bring us back to the previous multiple of ten ($27 - 7 = 20$) and then we subtract 1 more.

b, $35 - 7 =$

$$\begin{array}{r} -5 \quad -2 \\ \hline 35 \quad 30 \quad = 28 \end{array}$$

c, $42 - 6 =$

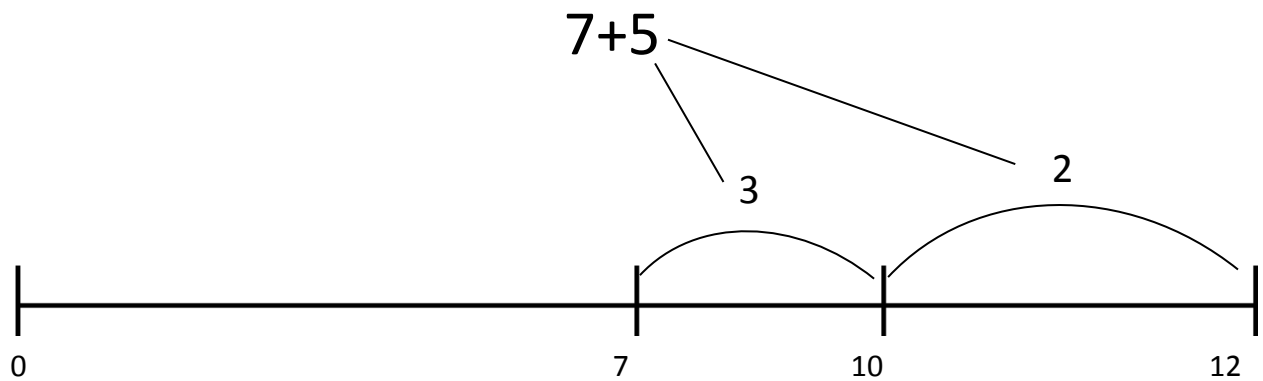
$$\begin{array}{r} -2 \quad -4 \\ \hline 42 \quad 40 \quad = 36 \end{array}$$

Try some of these strategies at home with your child.

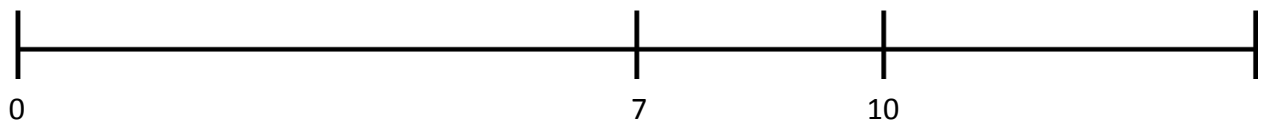
By breaking the sums up and using the numberline as a visual tool the children find the sums less daunting.

1. Using ENLs to Partition Numbers, Bridging 10s etc.

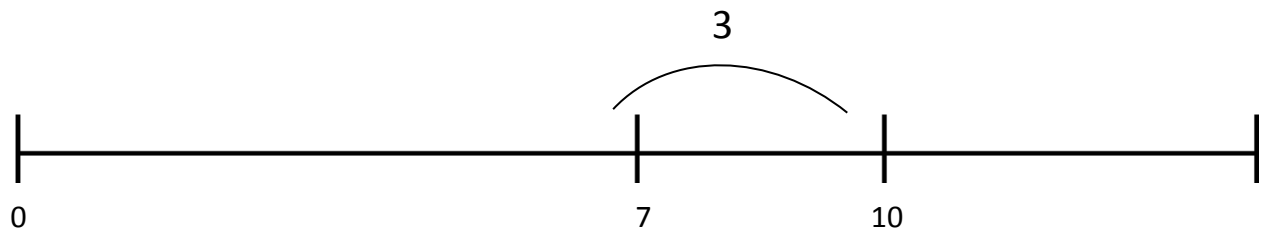
Example 1:



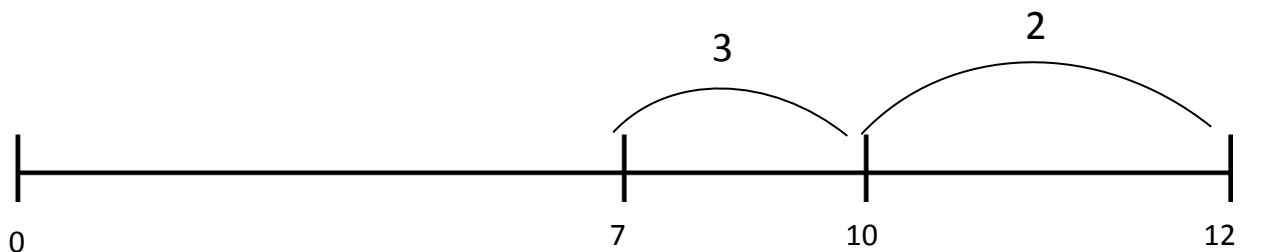
Tip: Show me 7 on ENL



How many more to next 10? (Answer 3)

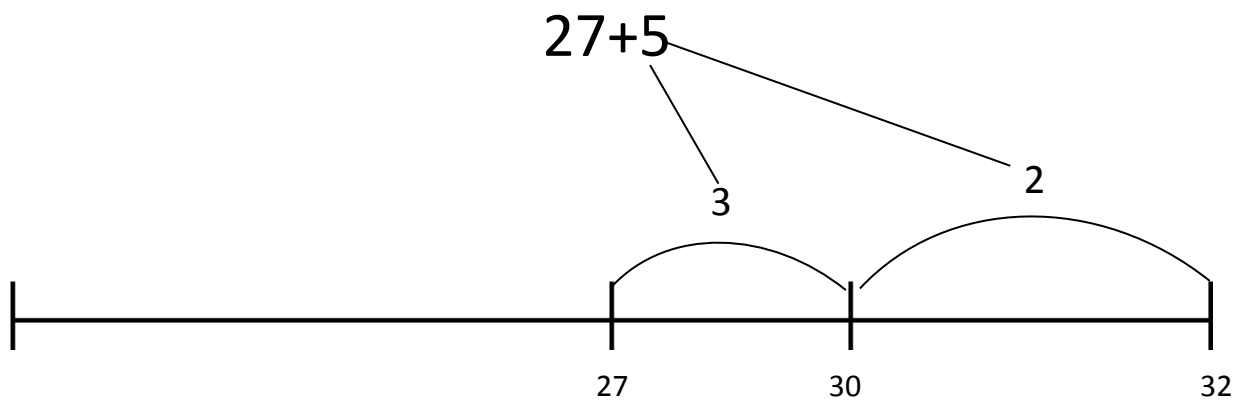


But the problem asked you $7+5$. How many more have you still to add? (Answer 2)



So $7+5 = 12$

Example 2:

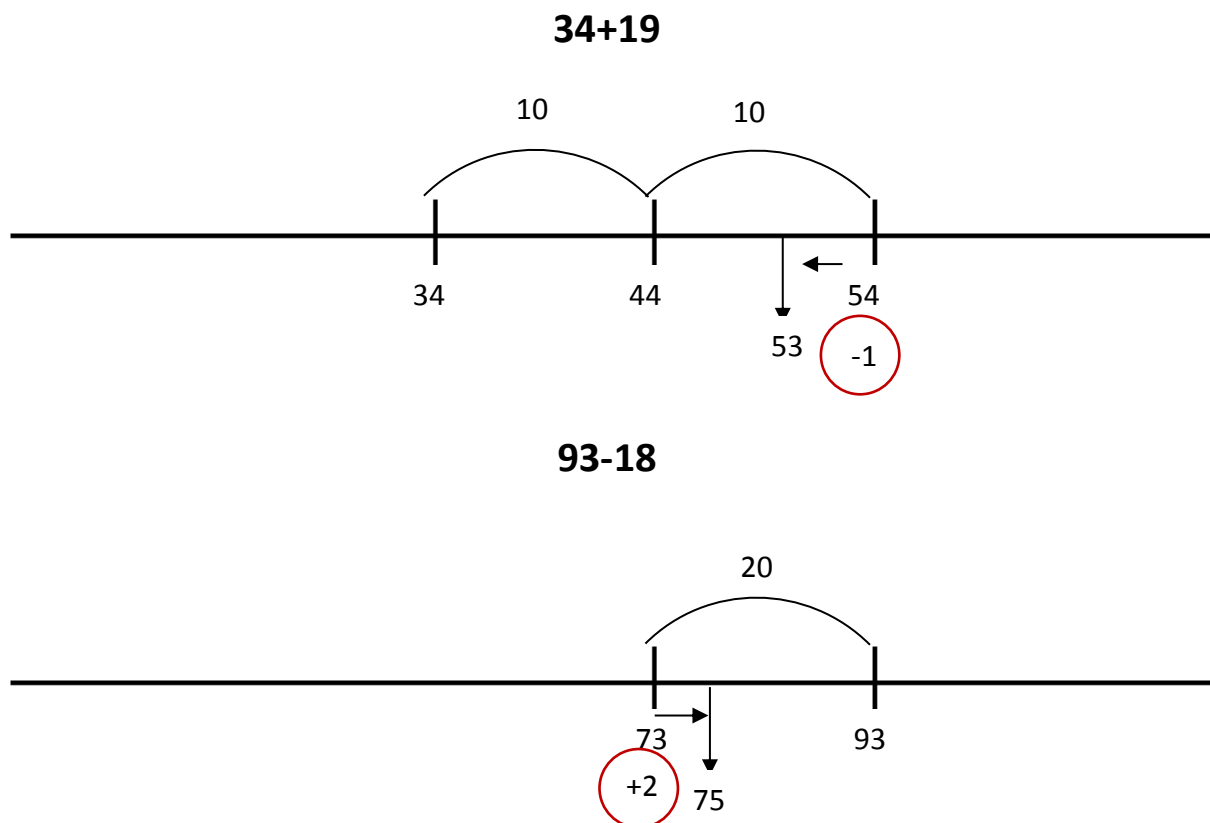


Same as 8 (a): Split the 5 into 3+2.

Try with different examples

2. Using ENLs with number problems where numbers can be rounded up/adjusted

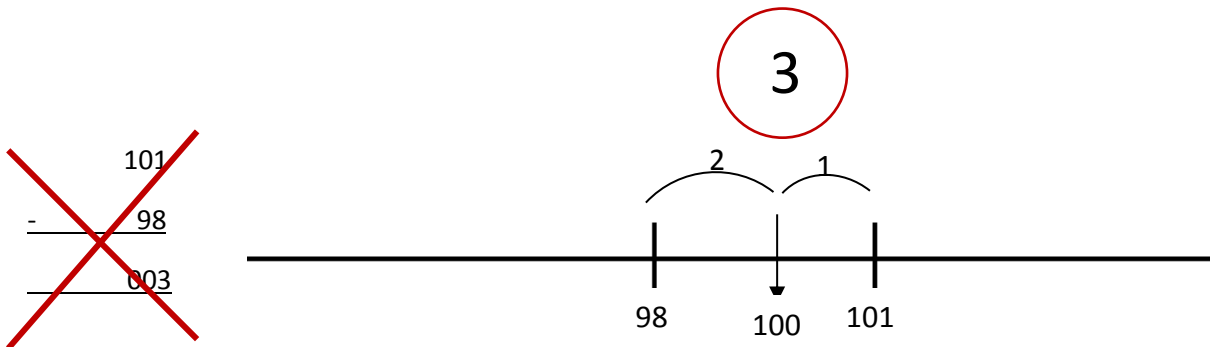
Example:



3. Using ENLs with subtraction problems where the numbers are close together

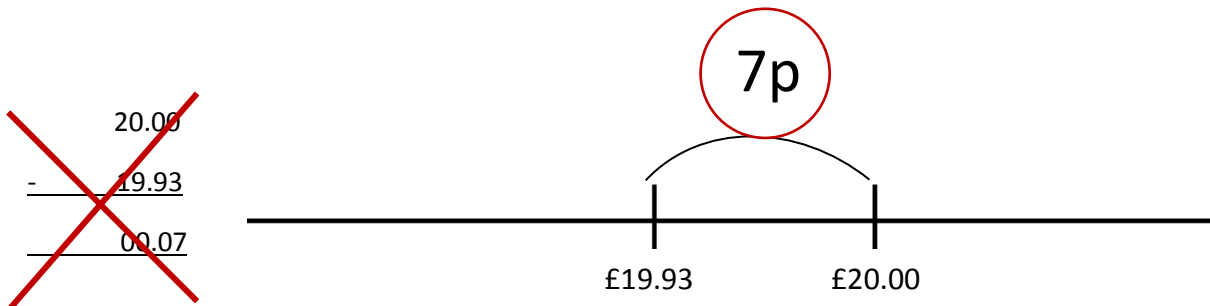
Example 1:

101 parents attended the school concert, 98 of them were women. How many men attended?



Example 2:

The bill in the shop came to £19.93. How much change from £20?



Partitioning Strategy

3 Key Questions

- a) How many dots do you see altogether?
- b) How many black dots?
- c) How many grey dots?

Examples:

3

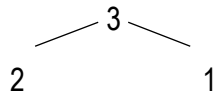


Altogether (A)
3

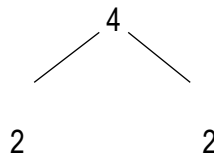
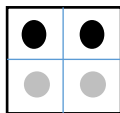
Black (B)
2

Grey (G)
1

Record when / if appropriate



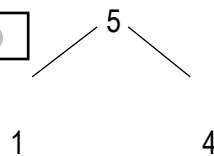
4



(A) (B) (G)

4 2 2

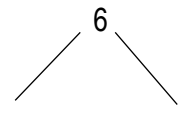
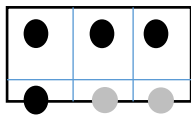
5



(A) (B) (G)

5 1 4

6

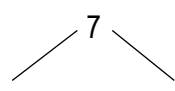
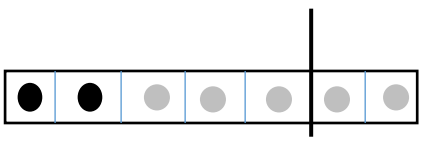


(A) (B) (G)

4 2

6 4 2

7

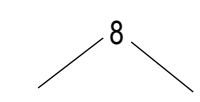
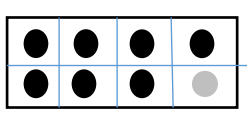


(A) (B) (G)

2 5

7 2 5

8

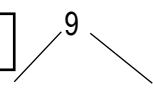
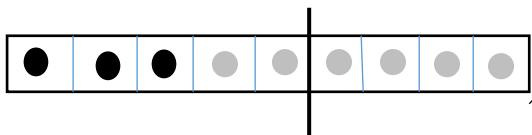


(A) (B) (G)

7 1

8 7 1

9

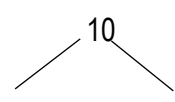
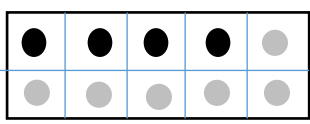


(A) (B) (G)

3 6

9 3 6

10



(A) (B) (G)

4 6

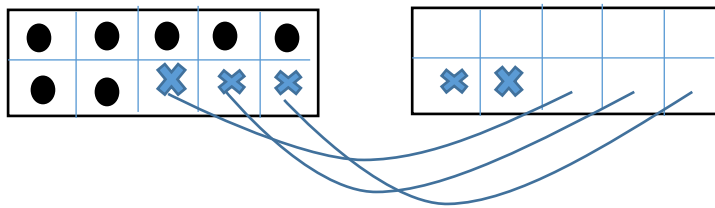
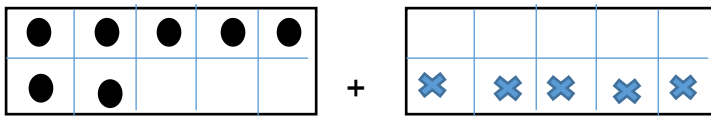
10 4 6

3 Teaching Points

1. Practise above frames with first (a) displaying then (b) flashing for about 1 second
2. Particular emphasis should be placed through time and practise on 5 and 10 frames
3. Practise different partitions for each number

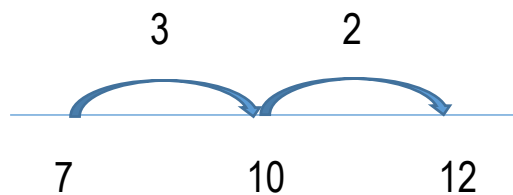
HIGHER LEVEL PARTITIONING

Eg. (1) $7 + 5 = ?$

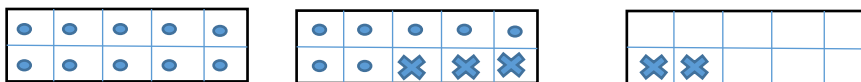
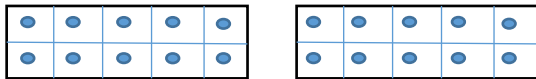
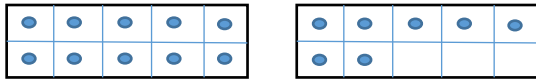
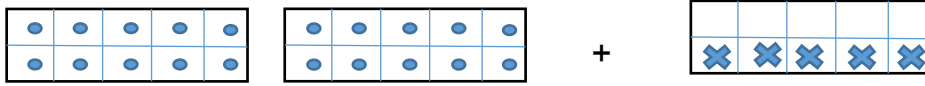


$$7 + 5 = 12$$

$$7 + 3 + 2 = 12$$

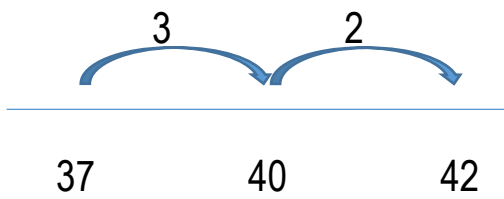


Eg. (2) $37 + 5 = ?$



$37 + 5 = 42$

$37 + 3 + 2 = 42$

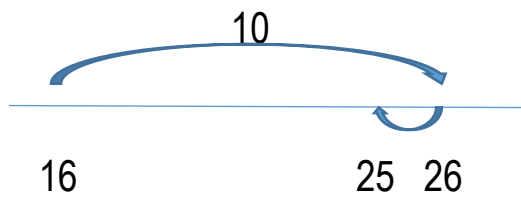


ROUNDING AND ADJUSTING STRATEGY

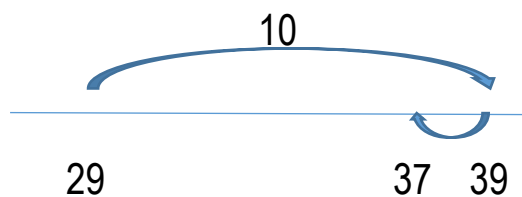
Sometimes it is easier to adjust when adding or subtracting numbers. This is often the 'forgotten' strategy

1 Adding 'near 10' to a number

$$\begin{aligned} \text{eg. (1)} \quad 16 + 9 &= 25 \\ 16 + 10 - 1 &= 25 \end{aligned}$$

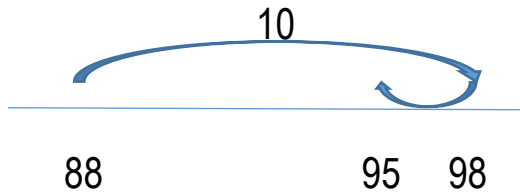


$$\begin{aligned} \text{eg. (2)} \quad 29 + 8 &= 37 \\ 29 + 10 - 2 &= 37 \end{aligned}$$



$$\text{eg. (3)} \quad 88 + 7 = 95$$

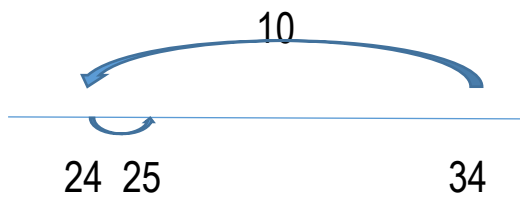
$$88 + 10 - 3 = 95$$



2 Subtracting a 'near 10' from a number

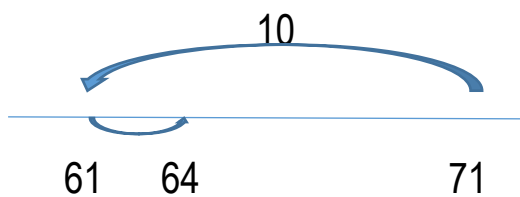
$$\text{eg. (1)} \quad 34 - 9 = 25$$

$$34 - 10 + 1 = 25$$



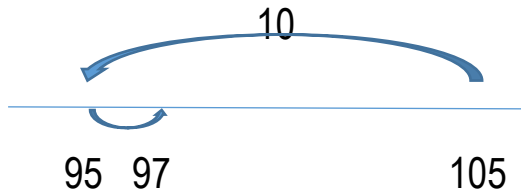
$$\text{eg. (2)} \quad 71 - 7 = 64$$

$$71 - 10 + 3 = 64$$



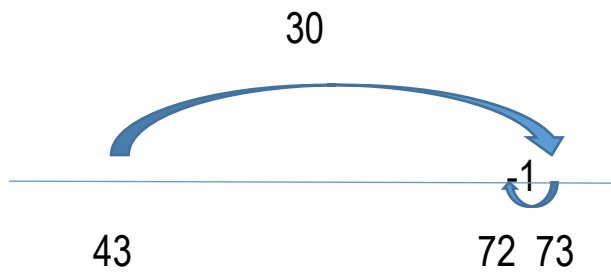
$$\text{eg. (3)} \quad 105 - 8 = 97$$

$$105 - 10 + 2 = 97$$

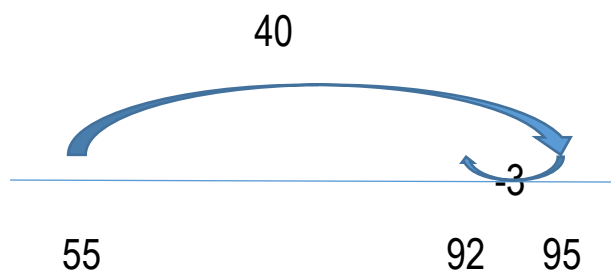


3 Adding 'near' multiples of 10 to a number

$$\text{eg. (1)} \quad 43 + 29 = 72$$

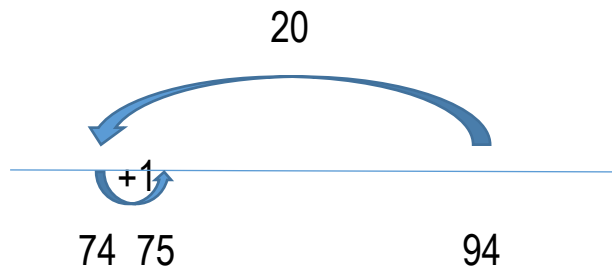


$$\text{eg.(2)} \quad 55 + 37 = 92$$

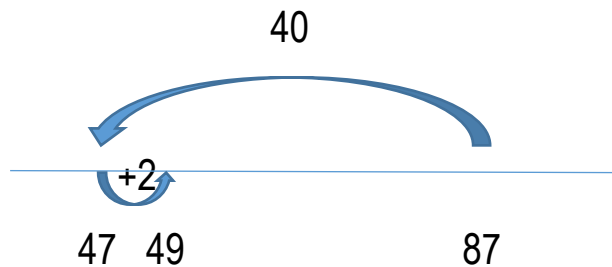


4 Subtracting 'near' multiples of 10 from a number

eg. (1) $94 - 19 = 75$



eg. (2) $87 - 38 = 49$



Which Strategy is Best?

When pupils have worked through a variety of mental strategies eg.

- Counting on / back
- Rounding / adjusting
- Combining
- Partitioning etc.,

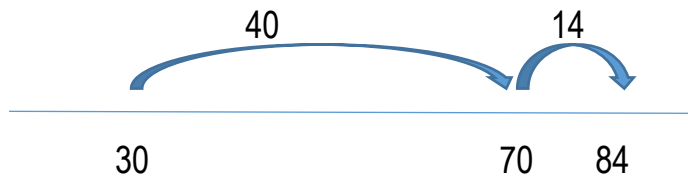
they can use the most efficient / practical one (or very often the one they feel most comfortable with).

This final example shows a variety of ways to do the same problem mentally.

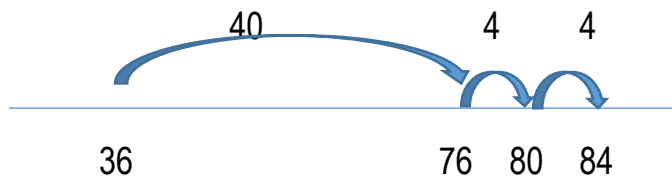
Problem:

For his break, Charlie buys a banana at 36p and a bottle of water at 48p. How much does he owe the shop?

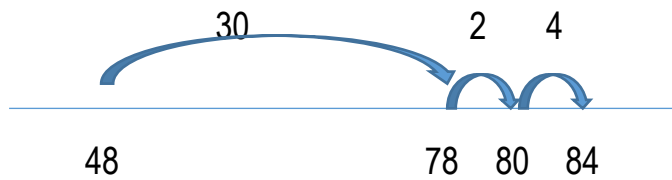
Method 1



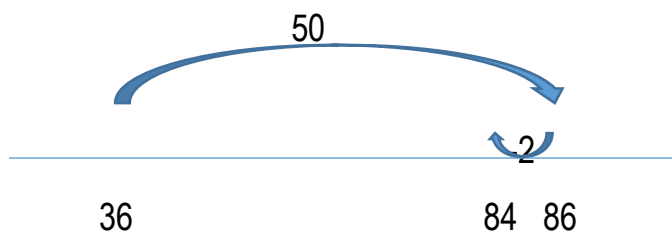
Method 2



Method 3



Method 4



Method 5

