

## Problem Set Solution – See Handout in Volk Pump Course

### 1. Total Head Calculation

Total Head = Static Head + Friction Head + Pressure Head + Velocity Head =  $H_s + H_f + H_p + H_v$

From this system layout in the handout, Static Head  $H_s = 109.0$  ft.

Based on the design flow of 1000 gpm and the given values for design suction velocity of 5-7 ft/sec and design discharge velocity of 10-12 ft/sec, the following pipe sizes and associated data is chosen from Table 2.1 on page 51 of the Volk book:

Pipe	Size	V (ft/sec)	$V^2/2g$ (ft)	$H_f$ (ft/100 ft)
Suction	8"	6.41	0.64	1.56
Discharge	6"	11.1	1.92	6.17

Friction Head  $H_f$  (see calc. on next page) = 65.4 ft.

Pressure Head  $H_p$  (see calc. on next page) = 123.7 ft.

Velocity Head  $H_v = 0$ , with the liquid levels in the 2 tanks as the reference points (see Volk, p. 58)

Total Head =  $H_s + H_f + H_p + H_v = 109.0 + 65.4 + 123.7 + 0$   
 = 298.1 ft. (rounded to 300.0 ft for pump selection)

### 2. NPSH<sub>a</sub> Calculation

$NPSH_a = P + H_s - H_f - H_{vp}$

$P = 28.8$  ft. (see note in Absolute Pressure Head calculation on next page)

$H_s = 2.0$  ft. (see pump system drawing, suction tank liquid level above pump inlet)

$H_f = 2.8$  ft. (see note in Suction Pipe Friction Head calculation on next page)

$H_{vp} = 8.7$  ft. (see Table 2.3, page 80, in Volk book, at 150°F)

$NPSH_a = P + H_s - H_f - H_{vp} = 28.8 + 2.0 - 2.8 - 8.7$   
 = 19.3 ft.

### 3. Pump Selections

Size	RPM	Efficiency	NPSH <sub>r</sub>	Notes
3x6x12	3560	70%	27 ft.	To right of POR, very short on NPSH
4x6x12	3560	75%	20 ft.	Not enough NPSH margin, need 27 ft.
4x6x9	3560	81%	22 ft.	Not enough NPSH margin, need 29.7 ft., near max. impeller
6x8x11	3560	71%	25 ft.	To left of POR, very short on NPSH
6x8x17	1760	66%	10 ft.	To left of POR, near max. impeller
6x8x21	1760	66%	10 ft.	Only choice that meets all design criteria
8x10x21	1760	58%	8 ft.	Very much to left of POR

## *Pump Sizing Application Exercises (cont'd) – See Handout in Volk Pump Course Friction and Pressure Head Calculations for Pump Sizing Application Exercises*

### **Friction Head Calculation**

(Values of  $h_f$  and  $V^2/2g$  come from table on preceding page. Values of K come from Volk, p. 55 and 56)

#### Suction Pipe

$$H_f (\text{pipe}) = h_f \times L/100 = 1.56 \times 1.5 = 2.34 \text{ ft.}$$

$$H_f (\text{gate valves}) = K \times V^2/2g \times \text{Qty.} = .07 \times 0.64 \times 2 = 0.09 \text{ ft.}$$

$$H_f (\text{suction pipe inlet}) = K \times V^2/2g = 0.5 \times 0.64 = 0.32 \text{ ft. (assume square edged inlet)}$$

$$H_f (\text{Total Suction Pipe}) = 2.34 + 0.09 + 0.32 = \underline{2.8 \text{ ft.}}$$

(Note that this value of 2.8 ft. is also the third term of the NPSH<sub>a</sub> calculation.)

#### Discharge Pipe

$$H_f (\text{pipe}) = h_f \times L/100 = 6.17 \times 9.0 = 55.5 \text{ ft.}$$

$$H_f (\text{gate valves}) = K \times V^2/2g \times \text{Qty.} = .09 \times 1.92 \times 2 = 0.35 \text{ ft.}$$

$$H_f (\text{check valve}) = K \times V^2/2g = 2 \times 1.92 = 3.84 \text{ ft.}$$

$$H_f (\text{elbows}) = K \times V^2/2g \times \text{Qty.} = 0.27 \times 1.92 \times 2 = 1.0 \text{ ft.}$$

$$H_f (\text{discharge pipe outlet}) = K \times V^2/2g = 1.0 \times 1.92 = 1.92 \text{ ft. (sudden enlargement, K=1, see p. 56)}$$

$$H_f (\text{Total Discharge Pipe}) = 55.5 + 0.35 + 3.84 + 1.0 + 1.92 = \underline{62.6 \text{ ft.}}$$

$$H_f (\text{Total}) = H_f (\text{Total Suction Pipe}) + H_f (\text{Total Discharge Pipe}) = 2.8 + 62.6 = \underline{65.4 \text{ ft.}}$$

### **Pressure Head Calculation**

This calculation is done two ways, using gage values and absolute values of vacuum and pressure, and of course will get the same result. To compute  $H_p$  (suction), use equation 2.8 from Volk,  $\text{Vac (ft)} = \text{Vac ("Hg)} \times 1.133/\text{SG}$ , to convert from "Hg to ft. To compute  $H_p$  (discharge), use equation 2.7 from the Volk book,  $\text{Head (ft)} = \text{psi} \times 2.31/\text{SG}$ , to convert from psi to ft.

#### Gage Pressure Calculation

##### Suction Tank

$$\begin{aligned} H_p (\text{suction}) &= \text{Vac ("Hg)} \times 1.133/\text{SG} \\ &= 5 \times 1.133/0.98 \\ &= \underline{-5.8 \text{ ft. gage}} \end{aligned}$$

##### Discharge Tank

$$\begin{aligned} H_p (\text{discharge}) &= \text{psi} \times 2.31/\text{SG} \\ &= 50 \times 2.31/0.98 \\ &= \underline{117.9 \text{ ft. gage}} \end{aligned}$$

$$\begin{aligned} H_p (\text{Total}) &= H_p (\text{discharge}) - H_p (\text{suction}) \\ &= 117.9 - (-5.8) \\ &= \underline{123.7 \text{ ft.}} \end{aligned}$$

#### Absolute Pressure Calculations

##### Suction Tank

$$\begin{aligned} H_p (\text{suction}) &= \text{Vac ("Hg)} \times 1.133/\text{SG} \\ &= (29.9 - 5) \times 1.133/0.98 \\ &= \underline{28.8 \text{ ft. absolute}} \end{aligned}$$

(Note that this value of 28.8 ft is also the 1<sup>st</sup> term of the NPSH<sub>a</sub> calculation.)

##### Discharge Tank

$$\begin{aligned} H_p (\text{discharge}) &= \text{psi} \times 2.31/\text{SG} \\ &= 64.7 \times 2.31/0.98 \\ &= \underline{152.5 \text{ ft. absolute}} \end{aligned}$$

$$\begin{aligned} H_p (\text{Total}) &= H_p (\text{discharge}) - H_p (\text{suction}) \\ &= 152.5 - 28.8 \\ &= \underline{123.7 \text{ ft.}} \end{aligned}$$