DSXplore: Optimizing Convolutional Neural Networks via Sliding-Channel Convolutions

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Abstract—As the key advancement of the convolutional neural networks (CNNs), depthwise separable convolutions (DSCs) are becoming one of the most popular techniques to reduce the computations and parameters size of CNNs meanwhile maintaining the model accuracy. It also brings profound impact to improve the applicability of the compute- and memory-intensive CNNs to a broad range of applications, such as mobile devices, which are generally short of computation power and memory. However, previous research in DSCs are largely focusing on compositing the limited existing DSC designs, thus, missing the opportunities to explore more potential designs that can achieve better accuracy and higher computation/parameter reduction. Besides, the off-the-shelf convolution implementations offer limited computing schemes, therefore, lacking support for DSCs with different convolution patterns.

To this end, we introduce, DSXplore, the first optimized design for exploring DSCs on CNNs. Specifically, at the algorithm level, DSXplore incorporates a novel factorized kernel – sliding-channel convolution (SCC), featured with input-channel overlapping to balance the accuracy performance and the reduction of computation and memory cost. SCC also offers enormous space for design exploration by introducing adjustable kernel parameters. Further, at the implementation level, we carry out an optimized GPU-implementation tailored for SCC by leveraging several key techniques, such as the input-centric backward design and the channel-cyclic optimization. Intensive experiments on different datasets across mainstream CNNs show the advantages of DSXplore in balancing accuracy and computation/parameter reduction over the standard convolution and the existing DSCs.

I. INTRODUCTION

With the increasing popularity of the AI-driven edge computing and internet of things (IoTs), convolutional neural networks (CNNs) have entered a new era with the plethora of tiny devices, which have limited resource, such as the power, and memory budget. This makes the CNNs that are small in parameter size with low computation costs (FLOPs) highly in demand. Among numerous research and industry efforts, depthwise separable convolutions (DSCs) attract a lot of attentions, largely because of their stunning success in reducing FLOPs and parameters.

Existing works around DSCs have been widely studied mainly from algorithmic perspective. MobileNet [1] has been proposed by replacing the standard convolution with the depthwise separable convolution (depthwise (DW) + pointwise (PW) convolution) to reduce the model parameters and computation cost significantly. Inspired by the success of MobileNet, Xception [2] architecture has been built to largely simplify more complicated CNNs, such as Inception [3] (with large number of layers and residual connections) by leveraging DSCs. The major assumption of these works is that the cross-channel correlations and the spatial correlations can be effectively decoupled and there is no need to map them at the same time. Therefore, the high-cost standard convolution can be effectively divided into the lightweight DW convolution to capture the spatial information and PW convolution to capture the channel-wise information.

However, these existing efforts on DSCs are still initial, since they overlook some key points that could be potentially leveraged for further parameter and computation reduction. And we believe there are several reasons behind.

First, there are limited DSC designs to balance accuracy performance and the size of computation/parameters. Existing work on DSCs is mostly derived from the DW+PW design for standard convolution replacement. The more effective DSC schemes that can potentially deliver better accuracy and model size trade-offs still remain uncovered. For example, we can further reduce the computation cost and parameter size by combining the group convolution (GC) (dividing the input and output channel into the same number of groups and only applying standard convolution within each group) with PW.

Second, there is a lack of efficient implementation support for new factorized kernels. Existing works on DSCs heavily rely on the deep-learning infrastructure with standard/group convolutions for their factorized kernel implementation. For example, the DW convolution can be expressed as the extreme case of the GC with the number of groups equal the input channels, while the PW convolution can be expressed as another special case of standard convolution with the $1 \times 1$ kernel spatial dimension. Therefore, the better factorized kernel that may bring better accuracy and lower computation and memory costs but not in the above categories cannot leverage the existing convolutional primitives for an effective implementation.

To this end, we propose, DSXplore, the first optimized design for exploring the long-existing “buried” DSC potentials. The highlight of DSXplore is our novel factorized convolution kernel – sliding-channel convolution (SCC), which can effectively reduce the computation and parameter size meanwhile maintaining model accuracy to a great extent. In contrast to the previous fixed DW+PW in most existing DSC designs, DSXplore provides an enormous space for exploring new DSC designs by introducing a set of adjustable parameters to SCC – the number of channel groups ($cg$) and input-channel overlapping ($co$). Furthermore, we present an optimized implementation of SCC on GPUs by capturing the specialty (e.g., cyclic-channel pattern) of SCC and tailoring parallel computation (e.g., improving thread-level parallelism and reducing atomic operations).

Overall, we make the following contributions
II. BACKGROUND AND RELATED WORK

A. Standard Convolution

The standard convolution is the most widely used deep-learning operation in many CNNs [4–6], which targets on images (a.k.a., feature map). In general, we annotate the dimension of 3D feature map as \( F_w \times F_w \times C_{in} \), where \( F_w \) is the 2D spatial dimension of the feature map while \( C_{in} \) is the number of input channels.

The standard convolution relies on a set of \((C_{out})\) standard convolutional filters, each of which has the size of \( W \times W \times C_{in} \) parameters to generate output feature maps, as shown in Figure 1(a), where the \( W \) is the spatial dimension of the filters (in general, filters usually have a square shape of \( W \times W \)). \( C_{in} \) is the number of channels for the input feature map, and \( C_{out} \) is the number filters (equals the channels for the output feature map, since each filter only generates the feature map in one output channel). After applying the standard convolution on the input with the shape of \( F_w \times F_w \times C_{in} \), we will get the output feature map \( O \), which has the shape of \( F_w \times F_w \times C_{out} \). Note that the mainstream CNNs [1, 4, 5] generally maintain the same feature map spatial dimension at different convolutional layers while only changing the number of the channels across different layers.

Formally, for standard convolution, we have

\[
O_{m,n,c} = \sum_{i,j,a} K_{i,j,a,c} \ast F_{m+i-1,n+j-1,a}
\]

where \( O_{m,n,c} \) is one pixel point in the output feature map, \( m \) and \( n \) are the spatial indexes in the output feature map \((0 \leq m < F_w \text{ and } 0 \leq n < F_w)\); \( a \) is the channel index in the input feature map \((0 \leq a < C_{in})\); \( c \) is the channel index in the output feature map \((0 \leq c < C_{out})\); \( i, j \), and \( a \) are the index used to accumulated the elementwise multiplication values between input feature map and one filter, which is essentially a cube with the shape of \( K \times K \times C_{in} \).

The standard convolution not only captures the spatial information by iteratively “gathering” a \( W \times W \) square in a 2D sliding-window fashion in each channel but also effectively fuses the information across different channels, as indicated in the Figure 1(a), where each kernel filter will “fuse” the information from all \( C_{in} \) channels of input feature maps.

B. Factorized Convolution

While the standard convolution gains success in CNNs across different applications settings (e.g., computer vision), its high computation and memory complexity significantly make it challenging to get widely adopted on devices with limited capability of computation and memory resources.

To break this hurdle, a set of factorized kernels and their combinations are introduced as a drop-in replacement for the standard convolution to reduce the computation and memory cost meanwhile maintaining the model prediction power. Existing factorized kernels can be divided into four major categories: 1) Pointwise Convolution (PW) [3], which is a standard convolution with \( 1 \times 1 \) spatial size, as shown in Figure 1(b); 2) Group Convolution (GC) [7] that divides input channels into several groups and performs standard convolution within each group, as exemplified in Figure 1(c) with two groups; 3) Depthwise Convolution (DW) [8] which calculates spatial convolution per channel or can be regarded as an extreme case of GC when the group number equals the number of the input channels, as shown in Figure 1(d); 4) Group Pointwise Convolution (GPW) [9] that further splits PW into groups, as exemplified in Figure 1(e) with two groups.

The most successful example adopted in many CNNs (e.g., Xception [2] and MobileNet [1]) is the depthwise separable convolution (DSC). It breaks the original standard convolution into two parts: depthwise (DW) convolution and pointwise (PW) convolution. The first step (DW) applies \( C_{in} \) different \( W \times W \times 1 \) filters to each of the \( C_{in} \) input channels independently, which can be formalized as Equation 2

\[
\hat{O}_{m,n,a} = \sum_{i,j} K_{i,j,a} \ast F_{m+i-1,n+j-1,a}
\]
The second step (PW) applies a filter with $1 \times 1$ spatial dimension. As shown in Equation 3,

$$O_{m,n,c} = \sum_a K_{a,c} \ast F_{m-1,n-1,a}$$

Compared with the standard convolution, DSC brings two folds of benefits. First, it largely reduces the size of weight parameters. In the standard convolution, we have $W \times W \times C_{in} \times C_{out}$ parameters, while in DSC, we only have $W \times W \times C_{in} + C_{in} \times C_{out}$ parameters, which is only $\frac{1}{W^2} + \frac{1}{W}$ of the parameters in the standard convolution. Second, it can largely reduce the total number of computations (FLOPs) compared with the standard convolution kernel. Specifically, the standard convolution requires $F_w \times F_w \times C_{out} \times W \times W \times C_{in}$ operations, whereas DSC only requires $C_{in} \times F_w \times F_w \times W \times W + C_{out} \times F_w \times F_w \times C_{in}$, which is $\frac{1}{C_{out} \times W^2} + \frac{1}{W^2}$ of the number of operations in the standard convolution. Further study, such as Shift Convolution [10], adapts the depthwise convolution by using a shift matrix for a more specialized spatial-wise information fusion at individual input channels.

However, the underlying reason why these designs can be successful is not clear. Our work, in contrast, introduces a brand-new DSC convolution kernel – sliding-channel convolution (SCC), focusing on the channel-wise information fusion. It offers explainable parameters (the number of channel groups and the input-channel overlapping ratio) to effectively capture cross-channel information with more flexibility.

C. Sparse Convolution

As an another way of reducing computation and compressing model size, sparse convolution [11]–[15] has been proposed and widely studied. Depending on the granularity of the pruning, existing pruning strategies can also be categorized into two major types, non-structured and structured pruning. The non-structured pruning aims to maximize the ratio of reducing the parameters and saving FLOPs. However, it fails to consider the implementation complexity on modern hardware due to its computation irregularity after pruning. The structured pruning overcomes the weakness of non-structured pruning through applying coarse-grained pruning strategy to largely maintain the computation regularity. However, it may compromise model accuracy to some extent due to such an “imprecise” nature of the structured pruning.

Furthermore, the modern deep-learning frameworks, such as Pytorch [16] and Tensorflow [17], still lack of efficient programming library support for these pruning operations (a.k.a., sparse kernels) on CPUs and GPUs. And most of these sparse kernels are only evaluated in their accuracy performance by masking the feature maps or weight parameter with zero values. At the same time, some of the pruning method is highly input-sensitive, which may lead to non-deterministic model accuracy when encountering the “unseen” real-world datasets. In contrast, our work focusing on factorized kernel design is essentially orthogonal to these pruning approaches but share the commonality of saving computation and parameters of CNNs. And the difference is that our work is to redesign the overall kernel filters and their operation patterns (e.g., the input-to-output channel mapping of kernel filters), while these pruning works target at modifying individual filters or feature maps, such as masking out specific tensors based on their values.
in Table I, where SCC reduces the FLOPs and parameters meanwhile maintaining accuracy performance.

**Compared with GPW:** As the variant of the PW convolution, GPW has been studied to amortize the computation and parameter costs of PW. While sharing the commonality of reducing the model complexity as GPW, each filter of our SCC would cover different “windows” of input channels that are partially overlapped with their adjacent filters. The input-channel overlapping in SCC serves as an essential “bridge” to communicate the different input channel information that is originally segregated by channel grouping in GPW. Filters in the conventional GPW, on the other hand, would either fully overlap with their adjacent filters or no overlap with their adjacent filters in terms of input channels they cover. This may lead to 1) redundant information from the same input-channel window, and 2) missing information spanning across different input-channel windows. As illustrated in Figure 2(b), the first half of the output channels only uses the first half of the input channels from the input feature map, while the second half of the output channels only uses the second half of the input channels. In contrast, in our SCC design (Figure 2(c), the adjacent two filters would never occupy the same part of input-channel window. For example, filter 2 overlaps with the filter 1, thus, extracting information from both $C_{in,1}$ and $C_{in,2}$, which cannot be captured in GPW. Besides, we introduce the channel-circulation scheme that further strengthens the capability to extract information, i.e., the last input channel is logically connected with the first input channel to form a cycled input channels. Therefore, as shown in Figure 2(c), the input-channel window of filter 3 will include the $C_{in,3}$ and $C_{in,0}$. The benefits of our SCC design compared with GPW can be demonstrated by comparing line 3 and line 2 in Table I, where SCC wins in terms of accuracy by better utilizing cross-channel information.

Moreover, another highlight of our SCC design is its flexibility, and there are two parameters are introduced: channel group number $cg$ and input-channel overlap ratio $co$. For instance, we use SCC-$cgX$-$coY\%$ to denote each filter in the convolution kernel takes $\frac{1}{X}$ number of input channels, while adjacent filters in SCC have $Y\%$ overlap in their consumed input channels. As exemplified in Figure 2(c) with the setting of SCC-$cg2$-$co50\%$, the input and output channels of the feature map are divided in to two groups, each adjacent filter is overlapped with 50% input channels.

**B. Implementation Challenges**

While the SCC allows users to explore more algorithmic benefits from DSCs through combining group convolution and overlapping channels, the implementation of this new kernel is challenging in several aspects. First, existing off-the-shelf high-level CNN building blocks (e.g., cuDNN [18], Conv2D in Pytorch) crafted for standard convolution could not be easily adapted for the implementation of SCC due to the quite different ways of conducting convolution operations. Because each filter of SCC relies on different input channels to generate feature map on one output channel, as indicated in Figure 2. Thus, extra computations are required to pinpoint the corresponding input-channel window at the input feature map before the convolution.

Second, the implementation of SCC could not well benefit by leveraging the highly-optimized low-level NN primitives, such as General Matrix-Matrix operations (GEMM). The major reason is that SCC requires more fine-grained GEMM operations on the matrix that are essentially skewed in its shape. Because each kernel filter does not cover the identical “window” of input channel as its adjacent filter, thus, lacking the reuse of input-channel window. For example, considering a setting with feature map $(56 \times 56)$ in each input channel, the number of input channel is 64 ($C_{in} = 64$) and the number of output channel is 128 ($C_{out} = 128$). When $cg = 2$ (i.e., both input and output channel are divided in to 2 groups), SCC requires 128 times fine-grained GEMM operations between the matrix with shape $(56 \times 56) \times 32$ and matrix with shape $(32 \times 1)$. Even though stacking these small matrices in to a larger matrix is an alternative solution, the computation and memory costs are also non-trivial. In contrast, existing convolution kernels, such as GPW, can be well benefited from cuBLAS [19] for implementation. Assuming the same setting ($cg = 2$) as the above example, GC only requires two GEMM operations between a matrix with shape $(56 \times 56) \times 32$ and a matrix with shape $(32 \times 64)$, which is clearly efficient compared with that in SCC.

To tackle these challenges, we first propose two implementations by compositing existing Pytorch operators. Further, we orchestrate our highly-efficient implementation with a set of kernel-level designs and optimizations tailored for SCC computation. We discuss those details in Section IV.

**IV. IMPLEMENTATION**

**A. Pytorch Operator Composition**

**Channel-Stack Implementation** As the most straight-forward solution, we implement SCC by compositing the standard Pytorch operators, such as tensor slicing, concatenation, and standard group convolution. Specifically, there are four major steps, as shown in Figure 3(a). The first step (1) is to identify the input channels of kernel filters (i.e., the calculation of the index range of each kernel filter, including its starting and ending location). The second step (2) is to extract the input feature maps based on the calculated input channel windows from the previous step. Then the third step (3) concatenates them into a large feature map long their channel dimension. The fourth step (4) is to apply the standard group convolution (such as conv2D in Pytorch) with the number of groups specified as the number of output channels (kernel filters).

However, we could easily find the drawbacks of such an implementation in the follow aspects. First, massively dividing and concatenating tensors (feature maps) in Pytorch is inefficient. It generally requires random indexing and data duplication on tensors, leading to a large amount of data movement that will hurt the performance. Second, Pytorch framework lacks support for concurrently executing the above operations, thus, missing the opportunity for parallelization. Third, the overlapped input channels of each kernel filter incur excessive data redundancy of repeatedly storing the same feature maps, leading to a prohibitively large size of the concatenated tensor that huddles its applicability on modern GPUs with limited size of memory.

**Convolution-Stack Implementation** The second implementation circumvents the “huge” concatenated tensor in the above channel-stack implementation by applying convolution
operation before concatenating. One major key insight is that the computation on the large concatenated tensor can be decomposed into the more effective computation on a set of small tensors. As illustrated in Figure 3(b), instead of simply combining all the extracted features maps, we can pre-build a set of lightweight convolutions, such as GPW1 - GPW4, each of which will generate the feature map for only one kernel filter. Finally, we concatenate these output feature map together. While this solution can largely overcome the third problem of the above channel-stack implementation, it is still hindered by the excessive inefficient Pytorch operations and lack of computation parallelization.

B. DSXplore Implementation

To handle the aforementioned challenges, our DSXplore introduces a set of new designs at forward and backward pass tailored for SCC computation. Moreover, DSXplore identifies the channel-cyclic pattern in SCC that can be effectively applied towards different implementations.

Output-Centric Forward Pass We propose an output-centric forward pass to efficiently handle the SCC forward propagation. Adjacent kernel filters are overlapped in terms of their corresponding input channels. Note that the last input channel is logically adjacent to the first input channel to form a channel circle. In the forward pass, we assign \( N \times C_{out} \times F_w \times F_w \) GPU threads in total to generate each pixel point in the output feature map, and the workload of each thread is just a simple vector-vector multiplication between the weight and the pixels across different input channels but at the same position of the 2D kernel dimension (i.e., the same \((x, y)\) in \(F_w \times F_w\) space). For example, output feature map on channel \(C_1\) with the shape of \(F_w \times F_w\) will be generated by the elementwise multiplication between input feature maps \(\left((F_w \times F_w) \times 2\right)\) and weight parameters \((2 \times 1)\) by leveraging \(F_w \times F_w\) threads.

Our proposed forward pass scheme has two major benefits. First, no data duplication for any part of tensors (feature maps) during the whole computation, since each thread only need to fetch its corresponding pixel point across different input channels from the original input tensor directly. Second, better data locality in the input feature map and weight parameters, since adjacent threads within the same GPU block are scheduled to operate on the same output feature map. Third, no inter-thread contention, since the computation of each pixel point is independent from each other and is handled by one thread.

Input-Centric Backward Pass For training our SCC kernel, an efficient backward phase is required for gradient backward propagation to update the model parameters. Compared with the forward pass, backward propagation is generally several times higher in computations due to the gradient backpropagation for both the trainable parameters (e.g., weight, and bias) and input feature maps. The backpropagation of the standard/group convolution can be easily formalized as the high-performance GEMM operation due to the fact that their kernel filters are either fully overlapped (for filters from the same group) or non-overlapped (for filters from different groups) in terms of their input channels. However, in our SCC kernel, filters are partially overlapped, which challenges the implementation of gradient backpropagation due to lacking support of any existing optimized operation.

While there is a straightforward option to simply reverse the forward computation flow of data propagation to the backward flow for gradient propagation. As illustrated in Figure 4(a), we...
assign threads based on the output gradient map as we previous
do in the forward pass. However, the overlapping of input
cannel for different filters also leads to the excessive amount
of thread-level synchronization during the backward pass. The
major reason is that the overlapped input-channel feature maps
would simultaneously receive the gradients being “pushed”
different kernel filters that are operated by different
groups of threads. Therefore, the computation correctness has
to be guaranteed by employing lots of atomic primitives when
accumulating gradients for input feature maps. For example, the
propagation of output gradient map on CH-2 and CH-3 would
incurs lots of conflicts during the updating of input gradient
map on CH-3.

To overcome these issues, we introduce a input-centric
backward scheme that assign each thread to generate gradient of
each pixel point on input feature map. As shown in Figure 4(b),
we assign threads based on the input gradient map instead of
the output gradient map, while the direction of the gradient
flow remains unchanged. For example, the input gradient map
on CH-3 will “pull” gradients from the output gradient maps on
CH-2 and CH-3. By harnessing such a input-centric backward
scheme, we eliminate the need of using the excessive amount
of thread-level synchronization (atomic operations) for the input
gradient map update, meanwhile maintaining the correctness of
the backward computation.

Note that for both forward and backward computation,
we decide not to move forward with GEMM-based (e.g.,
cuBLAS [19]) solution according to our experimental study.
First, it would lead to launching excessive amount of small
GEMM kernels, each of which can not fully utilize the
GPU resources; Second, cuBLAS [19] no longer supports
any function call from the CUDA kernel (decorated with
__global__) since CUDA 10.0. Thus, only the host code
running on CPU is allowed to invoke cublasSgemm, which
largely limits the computation parallelism (even with OpenMP).

Channel-Cyclic Optimization While SCC brings challenges
of implementing forward and backward pass, it also comes with
a special pattern – channel cyclic, which can be leveraged for
further optimization. The adjacent kernel filters would “gather”
information from the adjacent “windows” of input channels
that are overlapped with each other. After several kernel filters,
it will encounter the same input-channel window that has been
traversed before. For example, as shown in Figure 5(a) for
the cg = 2 and co = 50% case, every four kernel filters will
share the same set of input-channel window. Similarly, for the
cg = 2 and co = 33% case, as shown in Figure 5(b), every
three kernel filters will share the same set of input-channel
window. To identify such cyclic channel pattern and compute
the input-channel indexes of filters within one cycle, we follow
the Algorithm 1, under the given Cin, cg, and co.

Cyclic-channel pattern in SCC can be leveraged to optimize
our proposed implementations in the above sections. First, it
can be applied to the implementations of Pytorch operator com-
position to reduce the repetitive tensor manipulations and save
the memory. Specifically, in the channel-stack implementation,
we only need to identify and concatenate the first cycle of
input feature maps. Then for the settings that are composed
of multiple cycles, we just need to duplicate the concatenated
feature map of the first cycle several times and merge them
all together along the channel dimension, as exemplified in

Algorithm 1: Compute channel indexes of one cycle.
1 channel_map = {};
2 group_width = input_channel//num_groups;
3 start, end = 0, group_width;
4 start_v, end_v = start, end;
5 cyclic_dist = 0;
6 for oid = 0; oid < output_channel; oid ++ do
7  item = (start, end);
8  if item not in channel_map then
9    channel_map.add(item);
10   cyclic_dist ++;
11 end
12 else
13  break;
14 end
15 start_v = end_v - int(overlap * group_width);
16 end_v = start_v + group_width;
17 start = start_v % input_channel;
18 end

Note that for both forward and backward computation,
we only need to identify and concatenate the first cycle of
window. To identify such cyclic channel pattern and compute
we decide not to move forward with GEMM-based (e.g.,
cuBLAS [19]) solution according to our experimental study.
First, it would lead to launching excessive amount of small
GEMM kernels, each of which can not fully utilize the
GPU resources; Second, cuBLAS [19] no longer supports
any function call from the CUDA kernel (decorated with
__global__) since CUDA 10.0. Thus, only the host code
running on CPU is allowed to invoke cublasSgemm, which
largely limits the computation parallelism (even with OpenMP).

Second, it can be leveraged to optimize our DSXplore by
reusing the indexes of the input channel during our SCC-
tailored forward pass. Therefore, the recurrent index range
only need to be calculated once and will be stored into a
map/dictionary like object for the following filters, as illustrated
in Algorithm 2. Line 1 gets the corresponding kernel filter
index (opt_channel_id) based on the GPU thread ID. Then
based on the opt_channel_id and the cyclic_dist from the
Algorithm 1, we can get the idx of feature map to fetch the

Figure 6(a). This can avoid the high-cost tensor indexing and
slicing operations on the original feature map that have been
carried out before. In the convolution-stack implementation,
we can largely save the memory by keeping the concatenated
tensor of the input feature maps in the first cycle, since all the
remaining cycles would maintain the same input information,
as illustrated in Figure 6(b). And we just need to pile enough
GPW convolutions (the number of which equals the output
channels) that will be trained to extract different information
from the same input.

Algorithm 2: DSXplore Channel-cyclic Optimization
1 thread_id = blockIdx.x * blockDim.x + threadIdx.x;
2 opt_channel_id = get_output_channel(thread_id);
3 idx = output_channel_id % cyclic_dist;
4 start, end = channel_map[idx];
corresponding starting and ending position of input channels for the filter.

V. Evaluation

In this section, we conduct a set of intensive experiments on DSXplore in terms of its accuracy and the runtime performance.

A. Experimental Setup

**Datasets** We use CIFAR-10 [20] and ImageNet [21] dataset for evaluation. CIFAR-10 consists of 60,000 $32 \times 32$ color images in 10 classes, with 6,000 images per class. ImageNet is a large dataset of over 14 million images with up to 1,000 output classes, and it has been widely used for many computer vision research.

**CNN Models** We run comprehensive experiments on the state-of-the-art CNN models (VGG16 [5] and VGG19 [5], MobileNet [1], ResNet18 [22] and ResNet50 [22]. The major reasons of choosing these CNN models are 1) VGG16 and VGG19 are two most classic CNNs with linearly stacked layers; 2) MobileNet is the typical lightweight model with depth-separable convolution (DW+PW) blocks; 3) ResNet18 and ResNet50 is the representative model with the non-linearly stacked layers (residual connections).

**Implementations** We include three implementations for comparison: 1) **Pytorch-Base**: the baseline Pytorch implementation using channel-stack design (CHS) without channel-cyclic (CC) optimization; 2) **Pytorch-Opt**: the optimized Pytorch implementation using convolution-stack (COS) design with CC optimization; 3) **DSXplore**: DSXplore implementation comes with our efficient forward/backward pass design and CC optimization. Note that we omit the Pytorch implementation with CHS design and CC optimization, since CHS design still requires replicating the identified recurrent feature maps to build a large tensor before passing through the group convolution, which is identical to the Pytorch-Base implementation in terms of computation and memory complexity.

**Platforms & Tools** Our major evaluation platform is a server with an Intel Xeon Platinum 8168 (2.7 GHz, 24 cores), 188GB host memory and a Tesla V100 GPU (5,120 CUDA cores, Memory: 32GB, Peak Single-Precision: 15.7 TFLOPs). Note that to measure the end-to-end CNNs training performance, we use the Python time library and calculate the averaged running time of 100 measurements under the same setting. For kernel detailed metric analysis, such as GPU memory consumption, we use NVProf profiling tool from Nvidia.

B. Algorithmic Performance

In this experiment, we will first show the overall accuracy performance of different models optimized by DSXplore on CIFAR-10 in terms of computation (FLOPs), parameter saving and accuracy. We then apply our SCC kernel on ResNet50 and evaluate it on ImageNet dataset to show its applicability towards more complicated model on the large dataset. Moreover, we demonstrate the benefits of our SCC kernel design by using MobileNet on CIFAR-10 for a detailed study with the different number of groups ($cg$) and the channel overlapping ratios ($co$). Note that the value of $cg$ should respect 1) the smallest channel number (64 for our selected models) of the convolution layers (excluding the input layer, which is usually 3 for RGB image), 2) balancing the parameter/computation reduction and the model accuracy. Our empirical study shows that $cg > 8$ would lead to significant accuracy degradation.

**TABLE II: Accuracy comparison of CNNs on CIFAR-10.**

<table>
<thead>
<tr>
<th>Model</th>
<th>Implementation</th>
<th>MFLOPs</th>
<th>Param. (M)</th>
<th>Acc. (%)</th>
</tr>
</thead>
<tbody>
<tr>
<td>VGG16</td>
<td>Origin</td>
<td>314.67</td>
<td>14.73M</td>
<td>92.64</td>
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<td></td>
<td>DSXplore</td>
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<td>0.85M</td>
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<td>20.02M</td>
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<td></td>
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<td>1.16M</td>
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<td></td>
<td>DSXplore</td>
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<td>1.63M</td>
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</tr>
<tr>
<td>ResNet18</td>
<td>Origin</td>
<td>581.63</td>
<td>11.17M</td>
<td>95.75</td>
</tr>
<tr>
<td></td>
<td>DSXplore</td>
<td>298.63</td>
<td>0.54M</td>
<td>94.81</td>
</tr>
<tr>
<td>ResNet50</td>
<td>Origin</td>
<td>2036.01</td>
<td>23.52M</td>
<td>95.82</td>
</tr>
<tr>
<td></td>
<td>DSXplore</td>
<td>1469.64</td>
<td>12.81M</td>
<td>95.67</td>
</tr>
</tbody>
</table>

**TABLE III: Accuracy comparison (ImageNet) for ResNet50.**

<table>
<thead>
<tr>
<th>Network</th>
<th>MFLOPs</th>
<th>Param.</th>
<th>Acc. (%)</th>
</tr>
</thead>
<tbody>
<tr>
<td>Origin</td>
<td>4130</td>
<td>23.67M</td>
<td>76.56</td>
</tr>
<tr>
<td>DSXplore</td>
<td>2550</td>
<td>14.34M</td>
<td>75.91</td>
</tr>
</tbody>
</table>

**TABLE IV: Comparison of different settings on MobileNet.**

<table>
<thead>
<tr>
<th>Network</th>
<th>MFLOPs</th>
<th>Param.</th>
<th>Acc. (%)</th>
</tr>
</thead>
<tbody>
<tr>
<td>Baseline (DW+PW)</td>
<td>67.31</td>
<td>3.19M</td>
<td>92.05</td>
</tr>
<tr>
<td>DW+GPW-cg2</td>
<td>45.29</td>
<td>1.63M</td>
<td>90.11</td>
</tr>
<tr>
<td>DW+GPW-cg4</td>
<td>34.28</td>
<td>0.84M</td>
<td>88.88</td>
</tr>
<tr>
<td>DW+GPW-cg8</td>
<td>28.78</td>
<td>0.45M</td>
<td>82.69</td>
</tr>
<tr>
<td>DW+SCC-cg2-co25</td>
<td>45.29</td>
<td>1.63M</td>
<td>92.02</td>
</tr>
<tr>
<td>DW+SCC-cg4-co50</td>
<td>45.29</td>
<td>1.63M</td>
<td>91.36</td>
</tr>
<tr>
<td>DW+SCC-cg4-co25</td>
<td>34.28</td>
<td>0.84M</td>
<td>90.63</td>
</tr>
<tr>
<td>DW+SCC-cg4-co50</td>
<td>34.28</td>
<td>0.84M</td>
<td>90.60</td>
</tr>
<tr>
<td>DW+SCC-cg8-co25</td>
<td>28.78</td>
<td>0.45M</td>
<td>89.23</td>
</tr>
<tr>
<td>DW+SCC-cg8-co50</td>
<td>28.78</td>
<td>0.45M</td>
<td>89.23</td>
</tr>
</tbody>
</table>

**Overall Accuracy** As shown in Table II, DSXplore optimized CNNs can strike a good balance between the model accuracy and the computation/parameter size. Overall, DSXplore can save 50.04% FLOPs in computation and 75.60% in parameter size on average, meanwhile maintaining accuracy to a great extent. This is because that DSXplore leverages the SCC design that can maximize the value from the input information across different channels. We also notice that on VGG16 and VGG19, DSXplore can save more than 70% FLOPs and more than 90% parameters. The major reason is that the original VGG models rely on standard convolutions that would carry...
lots of redundant computations and parameters that contribute minor to the final prediction. In contrast, our SCC design in DSXplore can effectively capture the key factors (spatial and cross-channel information) that contributes most to the model prediction capability, thus, reducing the computation and parameters without much compromising accuracy. Besides, for the complicated ResNet50 model on the challenging ImageNet dataset (Table III), our SCC design can still reduce the FLOPs and parameters with up to 38.25% and 39.41% compared with the original model while maintaining accuracy.

**Detailed Analysis** A detailed studies on MobileNet (Table IV) further demonstrates the advantage of our SCC design in DSXplore in terms of a better trade-off between the model efficiency and the prediction accuracy. We try three different group numbers $cg \in \{2, 4, 8\}$, as well as two overlapping ratios $co \in \{25\%, 50\%\}$. Our model with DW+SCC-cg2-co25% achieves comparable accuracy performance in comparison with baseline DW+PW model while saving about 32.77% FLOPs and 48.90% parameters. The reason is that under the setting of the small group number (e.g., 2), our SCC-based channel sliding help filters learn different information by watching different channels. Note that in the larger group number (e.g., 8), such benefits would be largely offset by the significantly reduced parameters. With an increase in the group number, we observe a significant reduction in both computational cost and parameter usage, along with a slight degradation in prediction accuracy. This aligns well with our expectation that the channel-group number $cg$ determines the number of input channels that GPW or SCC would take, and thus also decides the number of computations and parameters of the model.

**C. Runtime Performance**

In this section, we compare DSXplore with Pytorch-Base and Pytorch-Opt on CIFAR-10 and ImageNet for training across different CNNs, including VGG16, VGG19, MobileNet, ResNet18, and ResNet50. We use two set of settings for better coverage, where the first type of settings is $cg \in \{2, 4, 8\}$ and $co = 50\%$ while the second type of settings is $cg = 2$ and $co \in \{25\%, 50\%, 75\%\}$.

As shown in Figure 7, across all two types of settings, DSXplore consistently outperforms Pytorch-Base and Pytorch-Opt with average $5.68 \times$ and $2.34 \times$ speedup, respectively. We also notice that Pytorch-Opt is faster than Pytorch-Base, since our effective convolution-stack design and channel-cyclic optimization can be leveraged to reduce the memory overhead and excessive data movement (tensor slicing and concatenation), such an optimization can deliver $1.86 \times$ to $3.20 \times$ speedup compared with the Pytorch-Base implementation. DSXplore further boosts the performance on top of that by introducing channel-wise parallelism, which delivers an additional $1.11 \times$ to $3.97 \times$ speedup on average compared with Pytorch-Opt. Another key observation is that on VGG16 and VGG19, the performance benefits is more significant compared with ResNet18 and ResNet50. The major reason is that VGG models mainly rely on standard convolutions (carrying high computation complexity and large number of parameters) as the major building blocks, while the ResNet models would use either “Basic Blocks” or “Bottleneck Blocks” as the major building blocks. These “Blocks” include additional convolutions that are already lightweight (such as the dual PW convolutions in Bottleneck Block) and no need to be replaced, thus, replacing the standard convolution of these blocks would have relatively lower impact. Moreover, under the same overlapping ratio, the increase of the $cg$ would give more advantage to the Pytorch-based implementations, since the computation of each group convolution is reduced due to the smaller number of channels in each group. On the other hand, however, as notated in Section V-B, the larger $cg$ would lower the model accuracy. Therefore, we prefer lower value of $cg$ in most settings.

In the comparison on ImageNet for the same set of CNNs, Pytorch-Base cannot even to run due to the excessive amount of the memory consumption. Therefore, we choose the Pytorch-
Opt as the baseline for speedup normalization. As shown in Figure 8, DSXplore outperforms Pytorch-Opt with $1.95 \times$ to $3.88 \times$ speedup. This also demonstrate the scalability of DSXplore by effectively exploring the computation parallelism.

D. Additional Studies

**Input-centric Backward Design** To demonstrate the benefits of our input-centric backward optimization, we leverage four implementations (Pytorch-Base, Pytorch-Opt, a DSXplore variant (DSXplore-Var) with output-centric backward, which simply reverses the forward propagation flow for backward gradient propagation), and DSXplore (with input-centric backward). We evaluate the time of backward gradient propagation only. As shown in Figure 9, our input-centric backward achieves average $15.03 \times$, $4.55 \times$, $1.55 \times$ speedup compared with Pytorch-Base, Pytorch-Opt and DSXplore-Var, respectively. The advantage of DSXplore are two-folds: first, compared with Pytorch implementations, DSXplore with output-centric backward propagation (DSXplore-Var) and input-centric backward propagation (DSXplore) can explore the computation parallelism, meanwhile reducing lots of unnecessary data manipulation; second, compared with the DSXplore-Var, DSXplore can significantly reduce the atomic operations (more than 90% on average) on updating the gradient of the input tensor based on our kernel profiling via NVProf.

**Cyclic-Channel Optimization** As another key technical contribution, our CC optimization can effectively reduce the memory overhead from 72.88% to 83.33%, as illustrated in Figure 10. This is because the pattern of repeated channel groups will lead to the reduction of the runtime, since with more channel groups, the corresponding group size (the number of input channels) required for each output channel will decrease. Therefore, the overall running time will decrease. Meanwhile, as discussed in the above section, the more number of groups will also leads to a slightly decrease of accuracy and reduction in parameter/computation costs. Therefore, in practice, we should balance the runtime performance and the model accuracy performance when choosing the value of $cg$.

**Input-Channel Overlapping** As the key feature that distinguishes SCC from the existing factorized convolution kernels, the overlapping ($co$) of the filters’ input channel facilitate the information fusion across different channels. Experiments from the detailed analysis of previous Section V-B already gives us the idea about its impact on model accuracy, while this experimental study, on the other side, aims to help us understand how different choices of $co$ would impact our SCC kernel performance. As shown in Figure 12, the change of $co$ will occur periodically, as described in Section IV-B. And we only need to store them once instead of extracting and concatenating them all. To this end, we can avoid most of the data manipulation (e.g., tensor slicing) and movement (e.g., tensor concatenation). What also worth noticing is that the impact of such optimization would also depend on the value of $co$ we choose. Therefore, the cyclic distance would be largely different. For example, when $co = 50\%$ with $C_{in} = 4$, we will have the cyclic distance of 4. When $co = 25\%$ with $C_{in} = 6$, we will have the cyclic distance as 3. This would also determine the size of concatenated feature map to be stored, thus, affecting the overall memory consumption.

**Number of Groups** As one of the features that is shared with the existing group convolution, our SCC divides the input and output channels into different groups based on the user-provided group numbers. Experiments from the detailed analysis of previous Section V-B already gives us the idea about its impact on model accuracy, and this study will help us to analyze its influence on the overall runtime performance in the end-to-end training. As shown in Figure 11, the increase of the number of groups will lead to the reduction of the runtime, since with more channel groups, the corresponding group size (the number of input channels) required for each output channel will decrease. Therefore, the overall running time will decrease. Meanwhile, as discussed in the above section, the more number of groups will also leads to a slightly decrease of accuracy and reduction in parameter/computation costs. Therefore, in practice, we should balance the runtime performance and the model accuracy performance when choosing the value of $cg$. Note that we set $co = 50\%$ and the runtime is normalized w.r.t the performance at $cg = 1$.
fluctuation of the running time, and it is mostly caused by the data reuse when choosing different \( co \), which is also a very minor impact compared with the change of \( cg \).

**Training Batch Size** As one of the most important factors of training CNNs, the batch size would impose profound impact on the training, including the convergence rate, model accuracy, and training speed. In general, the larger batch size would lead to shorter training time. However, it may also degrade the model accuracy performance. In this experiment, we consider different batch sizes ranging from 16 to 1024 with the increase step by the power of 2. We select three CNNs: VGG16, MobileNet, and ResNet18, which represents different types of CNN architectures for studies under the most common settings of \( cg = 2 \) and \( co = 50\% \). As shown in Figure 13, the overall trend of the running time will increase with respect to the increase of the batch size. We also observe that within a certain range of batch size (less than 128), the increase of batch size does not lead to the evident increase of the running time. This is because of not enough active threads to saturate the available GPU Streaming Processors (SMs) to support the fully parallelized forward and backward computation. However, when the batch size becomes even larger, the active threads will increase correspondingly, which are more likely to compete with each other at given the number of SMs for execution.

**VI. CONCLUSION**

This paper introduces DSXplore, the first optimized design to explore the DSCs on CNNs. Specifically, at the algorithm-level optimization, DSXplore incorporates a novel sliding-channel convolution (SCC), featured with the input-channel overlapping to capture cross-channel information that can effectively improve the accuracy while reducing FLOPs and parameter size across a board range of CNNs on mainstream image classification datasets. At the implementation level, we reduce the atomic operation during backward phase by leveraging the input-centric back-propagation design. Moreover, we fully integrated DSXplore with the Pytorch to improve programmability. Overall, our work paves a new way of exploring DSCs systematically and comprehensively through combining both algorithmic and implementation innovations.

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**REFERENCES**


